

**Cosmic positron and electron excesses:
is the dark matter solution a good bet?
(principles, backgrounds,
effect of cosmological subhalos
and uncertainties)**

Julien Lavalle

(Dept of Theoretical Physics, University of Turin)

Refs (arXiv) : 0603796, 0712.0468, 0709.3634, 0704.2543, 0808.0332, 0809.5268, 0902.3665

Collab: Delahaye, Salati, Taillet (LAPTH) - Maurin (LPNHE) - Nezri (LAM) - Bertone, Pieri (IAP)

Ling (Brussels) – Donato, Fornengo, Lineros (Turin) – Bi, Yuan (Beijing) – Bringmann (Stockholm)

Vth Patras Workshop — Durham

Tuesday, July 14th 2009

Indirect detection of Dark Matter

If dark matter is made of exotic annihilating or decaying particles, we might detect indirect signatures by means of astronomical devices

$\bar{p}, \bar{D} \text{ \& } e^+$

$\gamma \text{ \& } \nu$'s



Courtesy P. Salati

⑥ γ and ν : travel directly from the source to the observer

⑥ Antimatter cosmic rays: diffuse on the magnetic turbulences

$\Rightarrow$ Needs of large DM density regions
(Centers of galaxies)

of Dark Matter

If dark matter is not detected directly, we might detect indirect signatures by

$$\frac{d\phi_{\text{prim}}}{dE} = \delta \frac{B_{\text{prim}} \times \langle \sigma v \rangle}{8\pi m_{\chi}^2} \times \int dE_S \int d^3\vec{x}_S \mathcal{G}(\vec{x}_{\odot}, E \leftarrow \vec{x}_S, E_S) \times \rho_{\text{mn}}^2(\vec{x}_S) \times \frac{dN_{\text{prim}}}{dE_S}$$

'S

esy P. Salati

6

γ and ν : the
to the observ

6

Antimatter cosmic
magnetic turbulences

low density regions
(es)

of Dark Matter

Flux measurements:

PAMELA satellite — antimatter (ongoing)

Fermi satellite — γ -rays (ongoing)

AMS-02 (2010 ?)

background predictions

Decaying DM:

See next talk by C. Weniger

that detect indirect

BSM particle physics:

SUSY, KK, etc.

$$\frac{d\phi_{\text{prim}}}{dE} = \delta \frac{B_{\text{prim}} \times \langle \sigma v \rangle}{8\pi m_{\chi}^2} \times \int dE_S \int d^3\vec{x}_S \mathcal{G}(\vec{x}_{\odot}, E \leftarrow \vec{x}_S, E_S) \times \rho_{\text{mn}}^2(\vec{x}_S) \times \frac{dN_{\text{prim}}}{dE_S}$$

Dark matter distribution:

Prescriptions from N-body cosmological simulation

Found to not be smooth: clumpiness effects ?

Propagation Green function

(merely $\frac{1}{4\pi r^2}$ for γ -rays)

γ and ν : the
to the observ

Antimatter cosmic
magnetic turbulences

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low density regions

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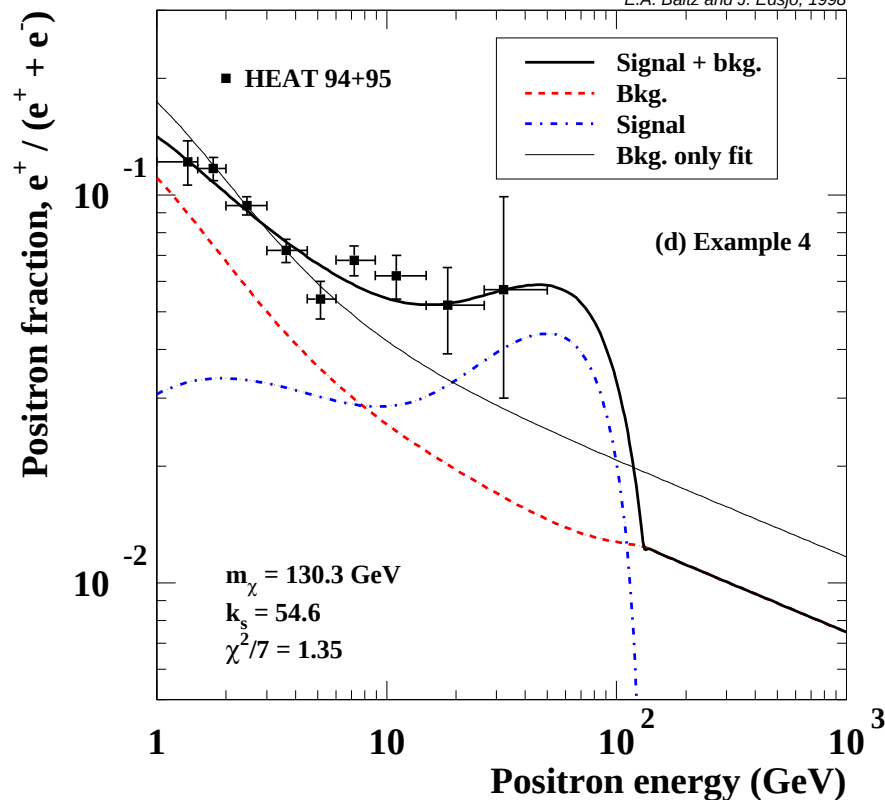
See next talk by C. Weniger

might detect indirect

Baltz & Edsjö, 98

Boost factor of 55

E.A. Baltz and J. Edsjö, 1998



particle physics:

KK, etc.

$$\frac{d\phi_{\text{prim}}}{dE}$$

$$s) \times \frac{dN_{\text{prim}}}{dE_S}$$

'S

esy P. Salati

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γ and ν : the
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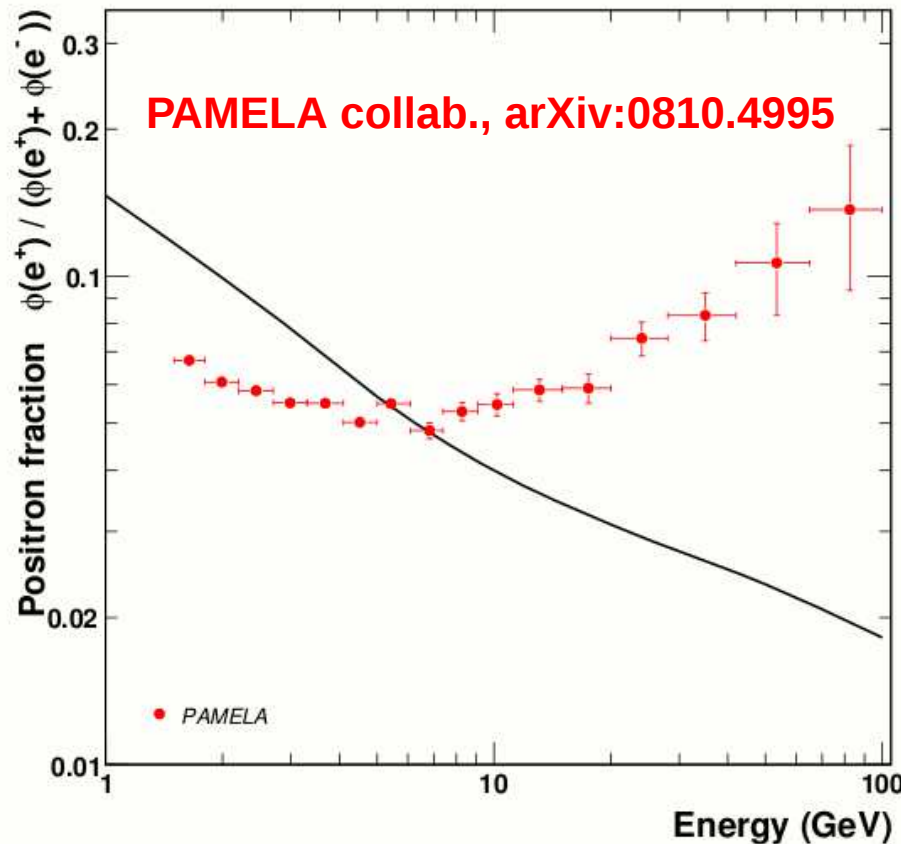
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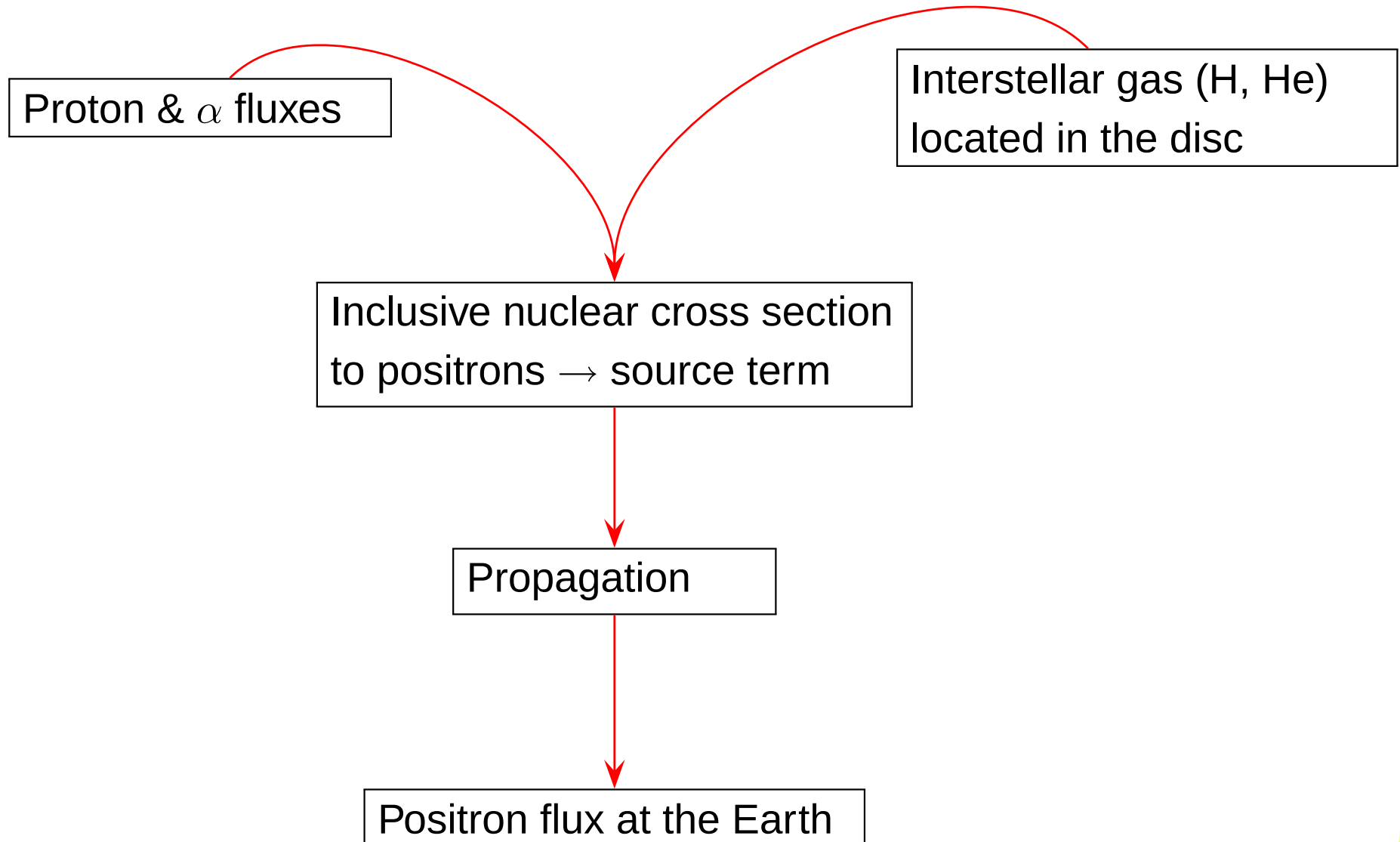
es)

On the positron fraction

Before inferring an excess from the data, one needs to:

- ⑥ properly **estimate the secondary positron background**;
- ⑥ properly **measure the electron flux** (prediction not necessary if measurements!!!);
- ⑥ ++++ **theoretical uncertainties** !!!

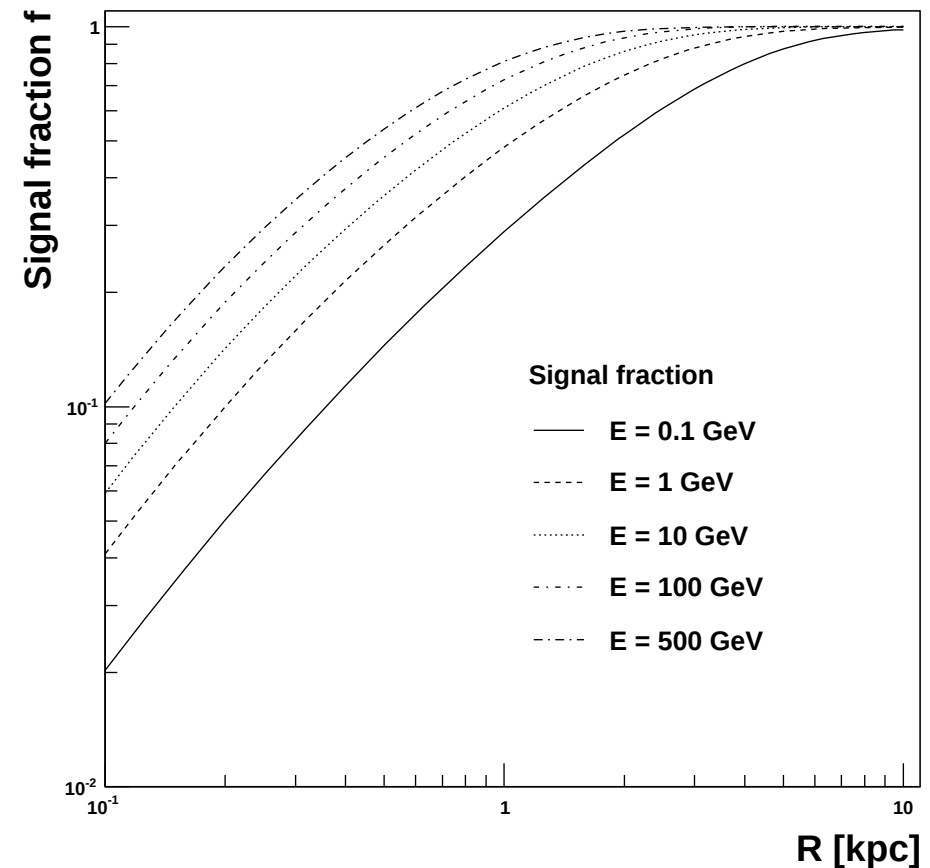
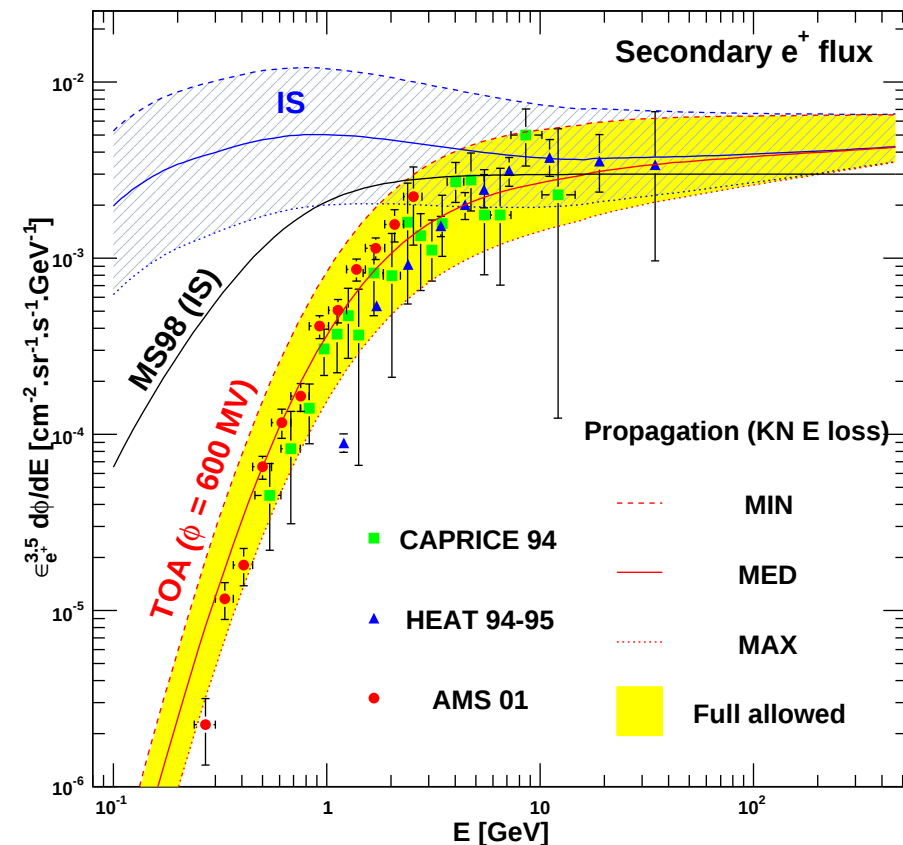
Short recipe for secondary positrons



PAMELA: to predict the e^+ fraction, we need e^- s!

The Alpine connection e^+ background (Annecy & Torino)

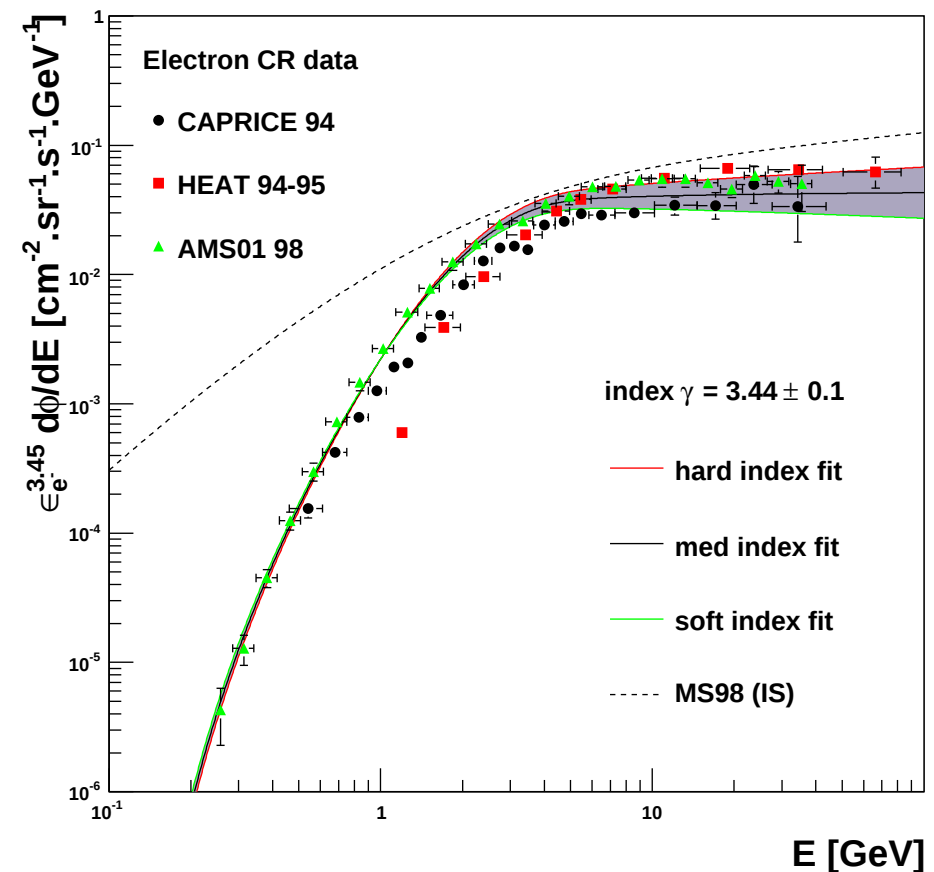
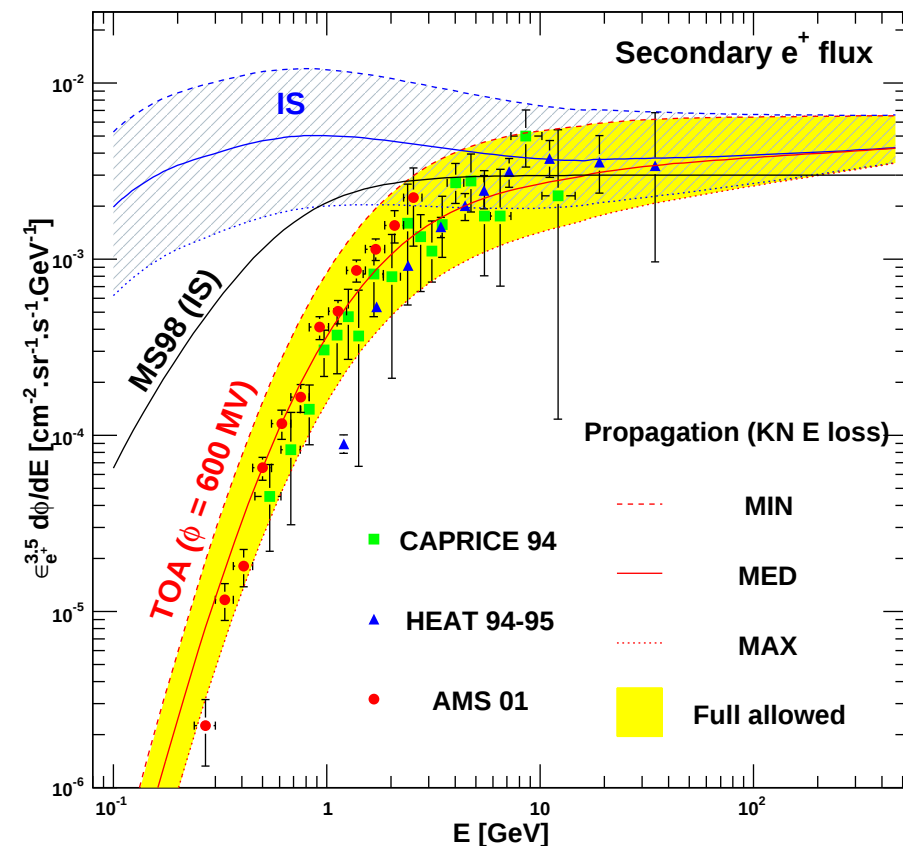
Delahaye et al, arXiv:0809.5268



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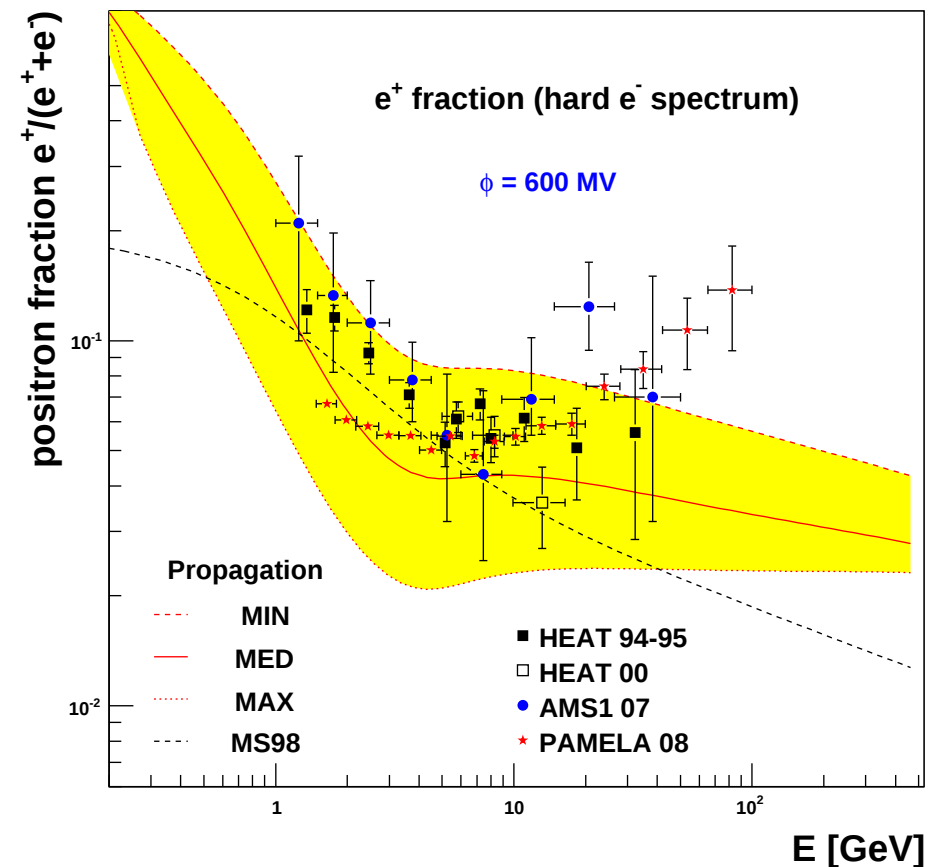
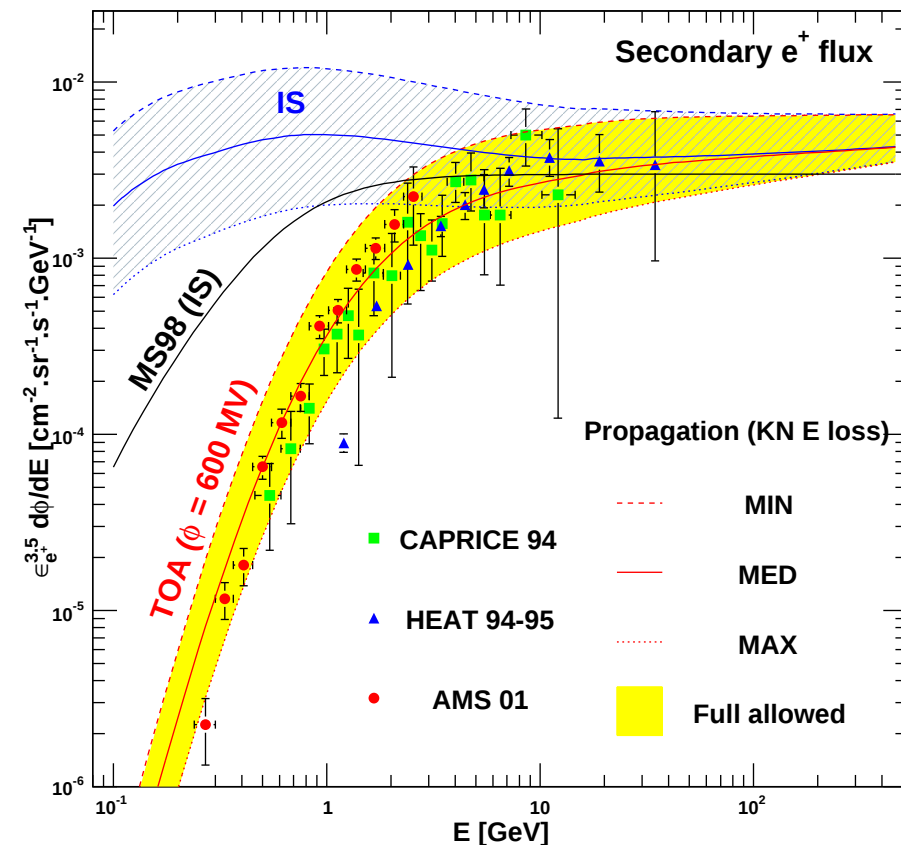
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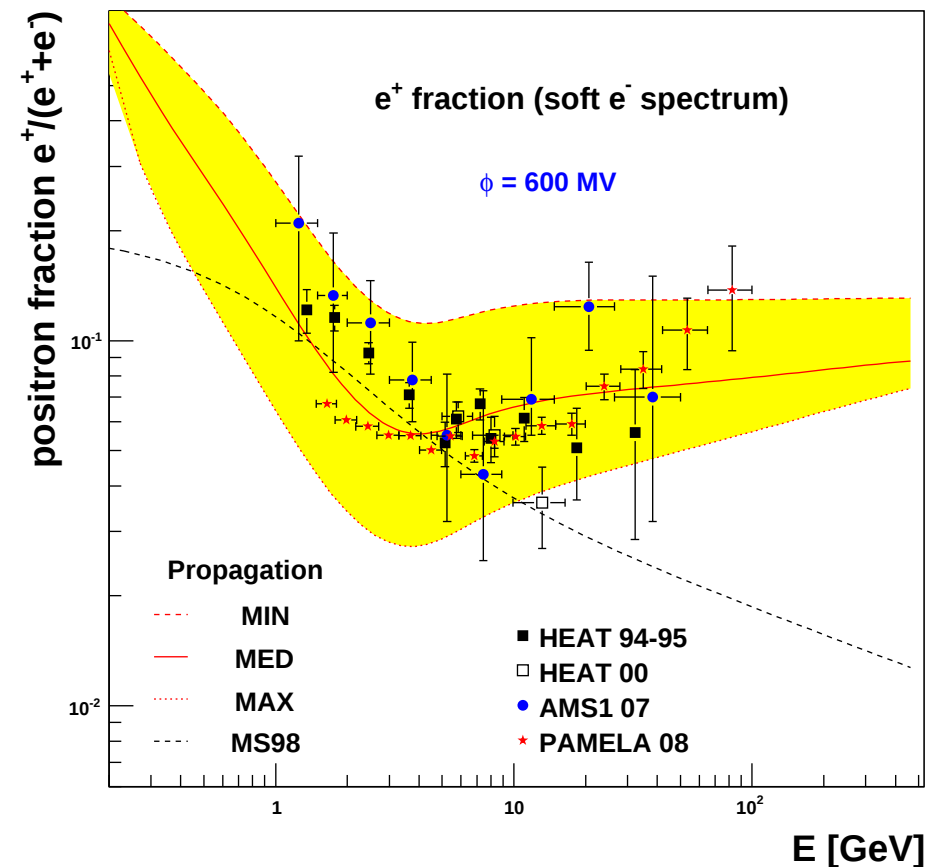
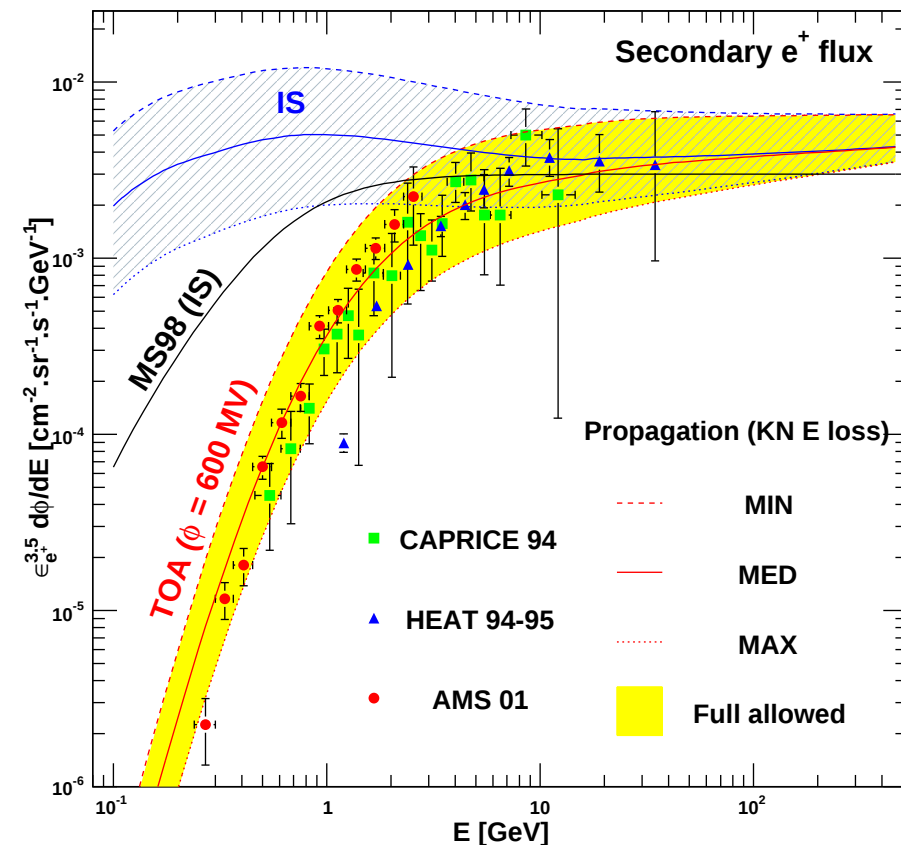
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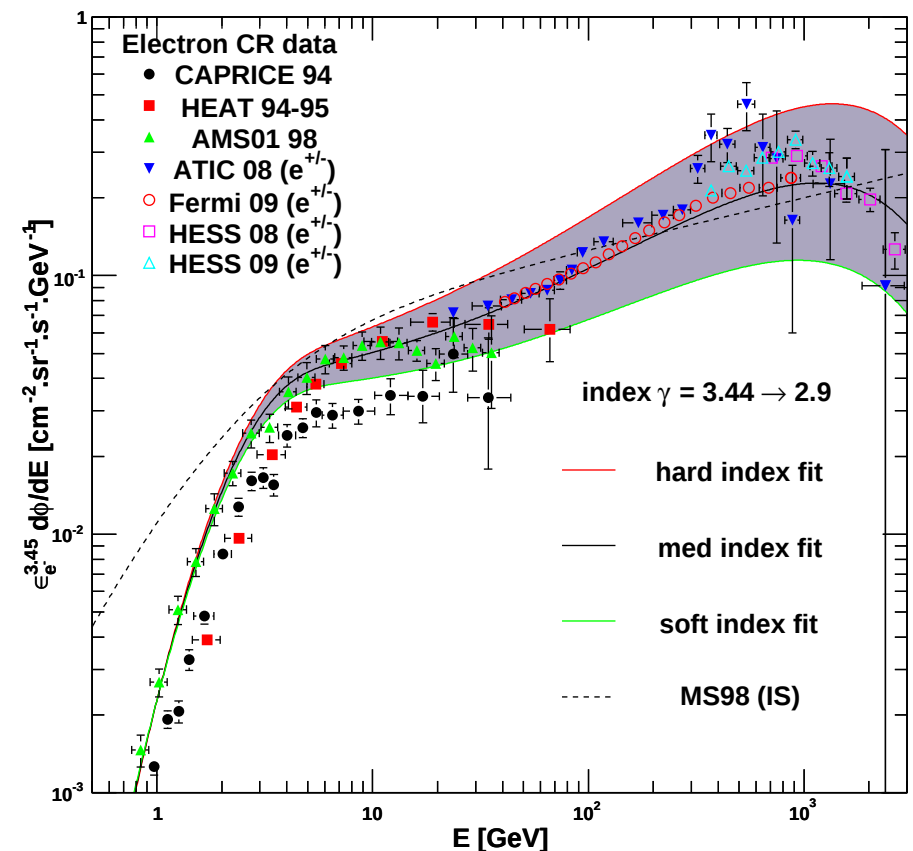
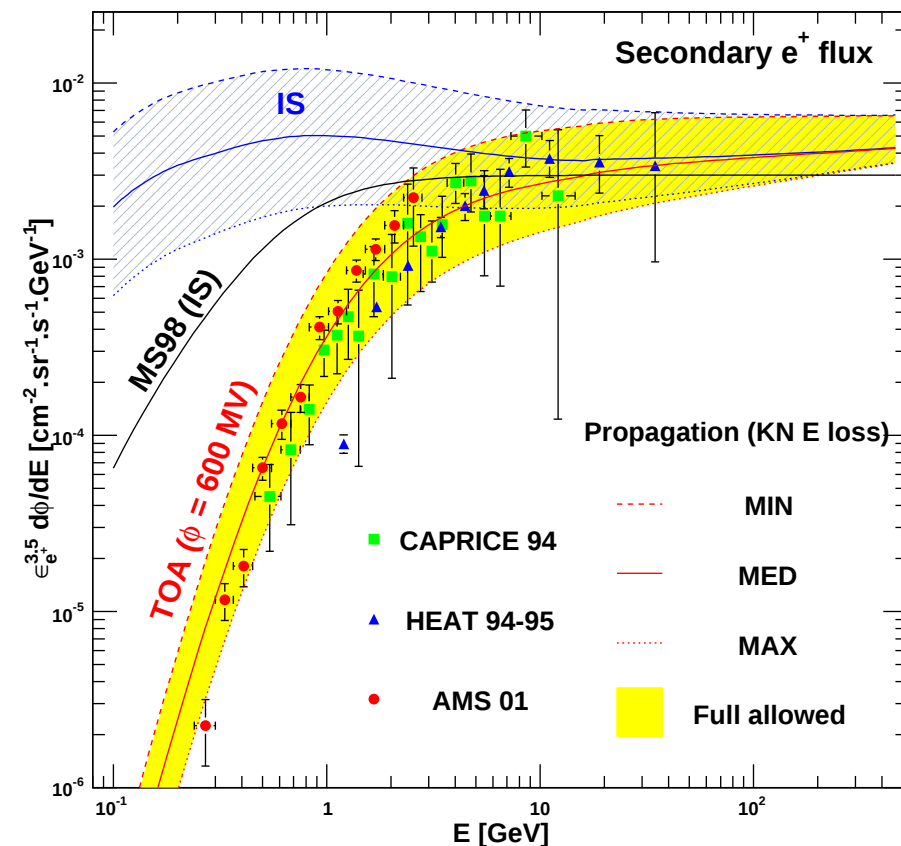
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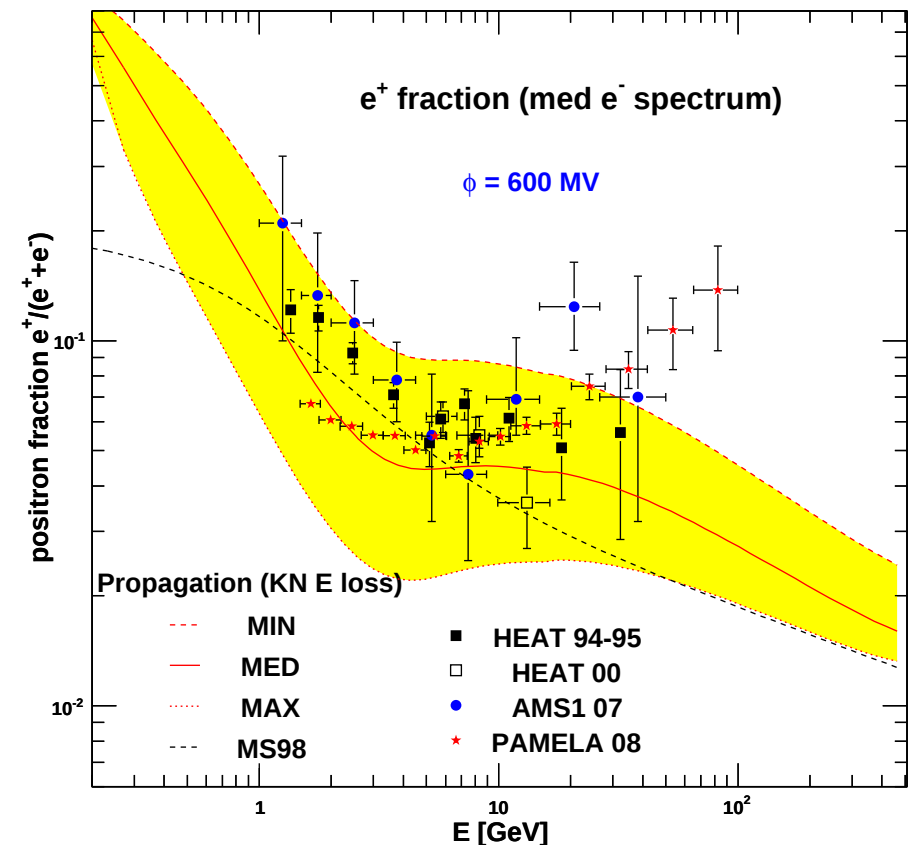
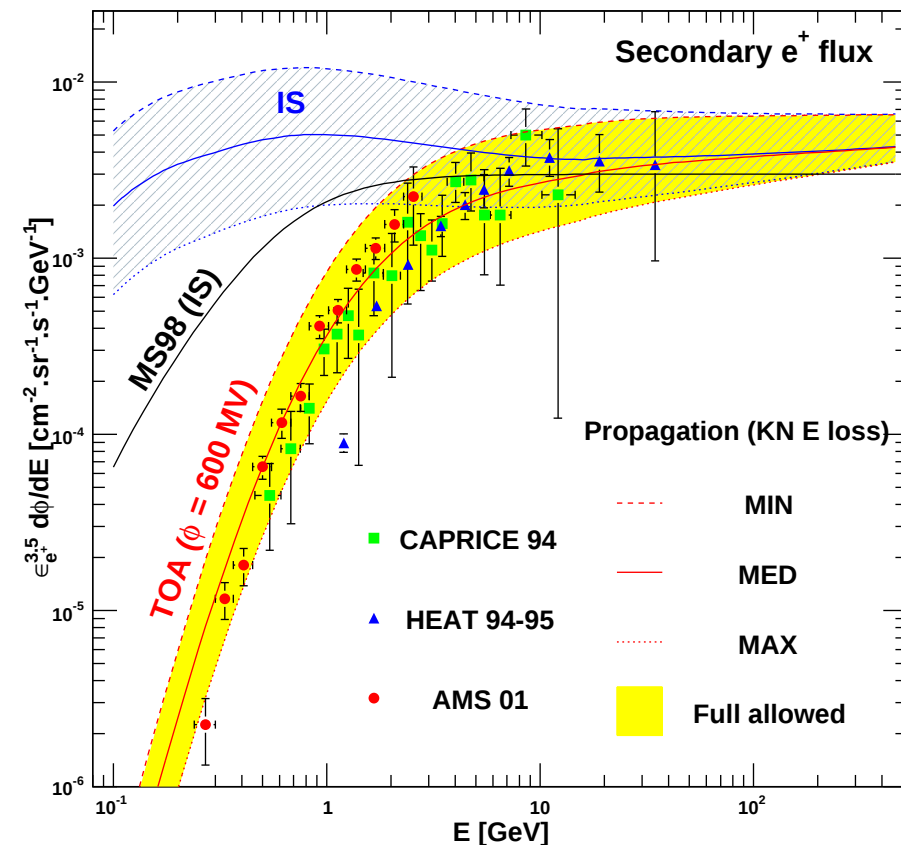
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PAMELA excess: standard astrophysical sources?

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THE ASTROPHYSICAL JOURNAL, 342:807–813, 1989 July 15

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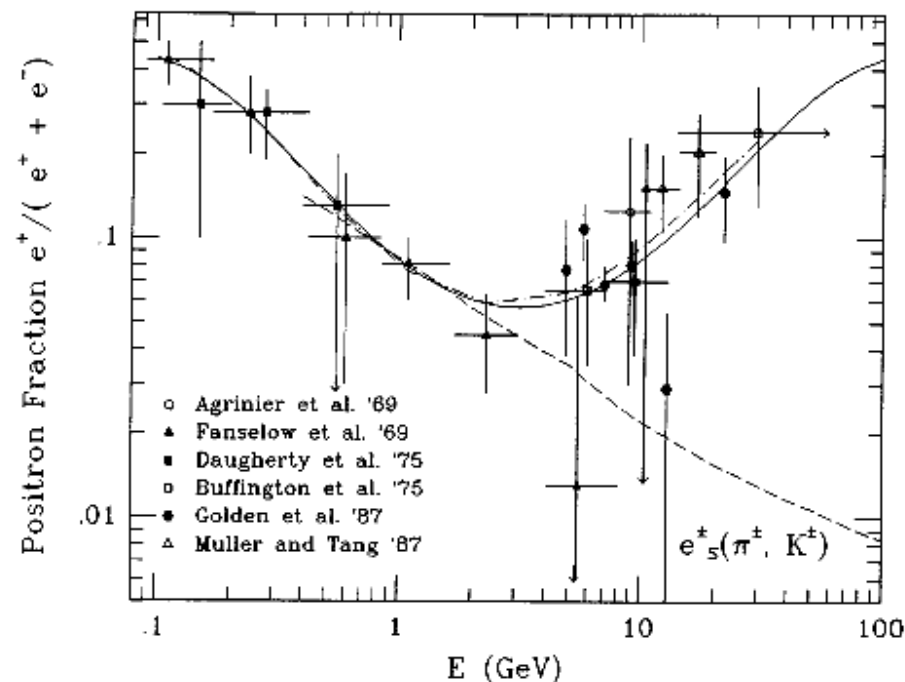
THE NATURE OF THE COSMIC-RAY ELECTRON SPECTRUM, AND SUPERNOVA REMNANT CONTRIBUTIONS

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Physics Department, Space Physics Laboratory, University of Wisconsin–Madison

Received 1988 October 24; accepted 1988 December 29

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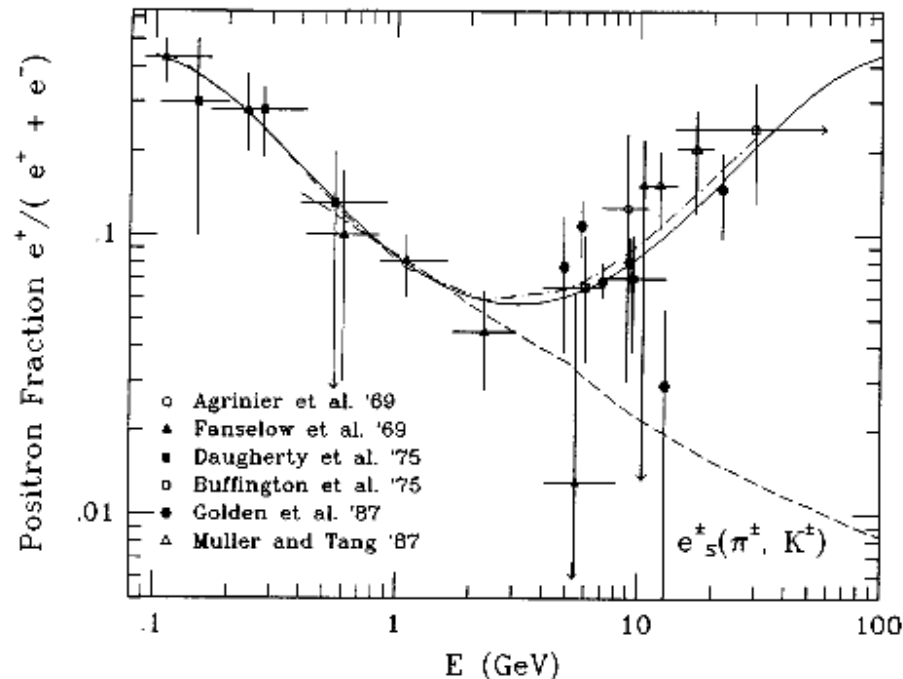
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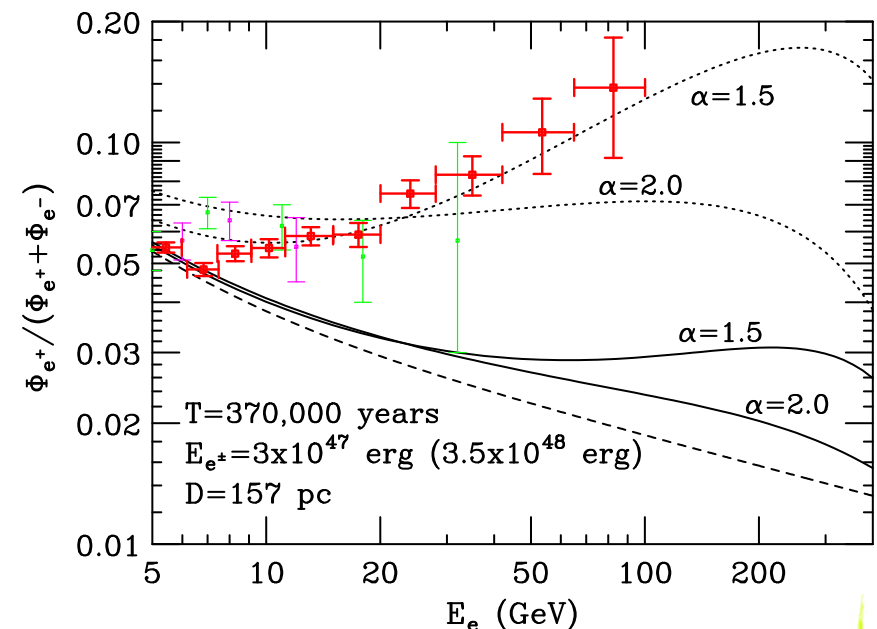
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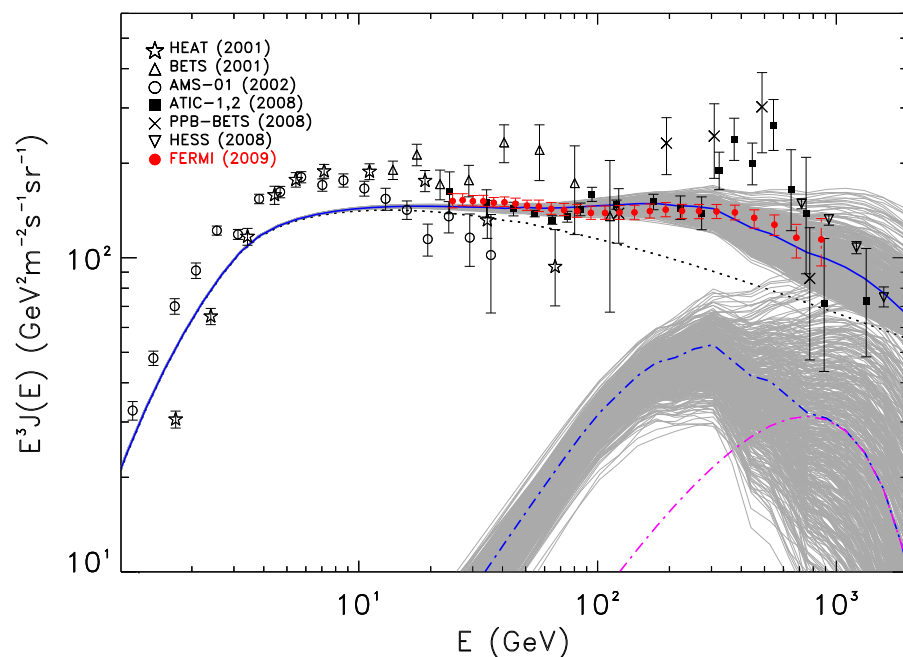
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PAMELA excess: standard astrophysical sources?

Fermi Collab + Grasso et al (2009)



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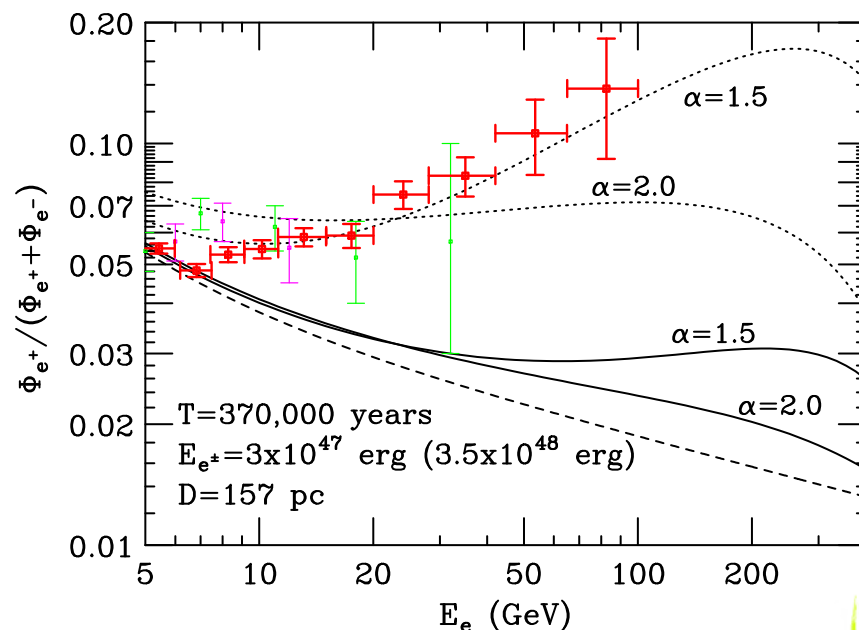
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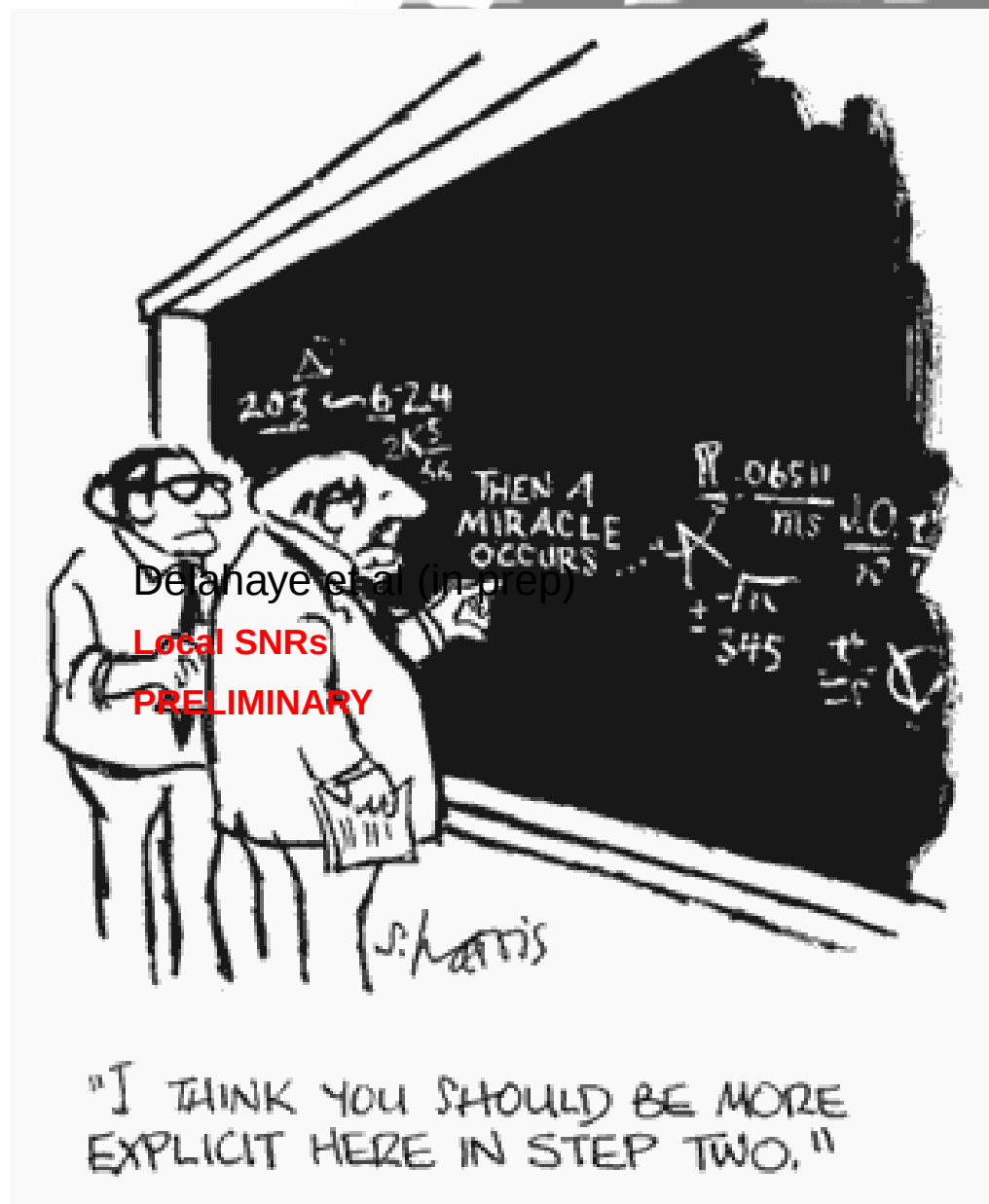
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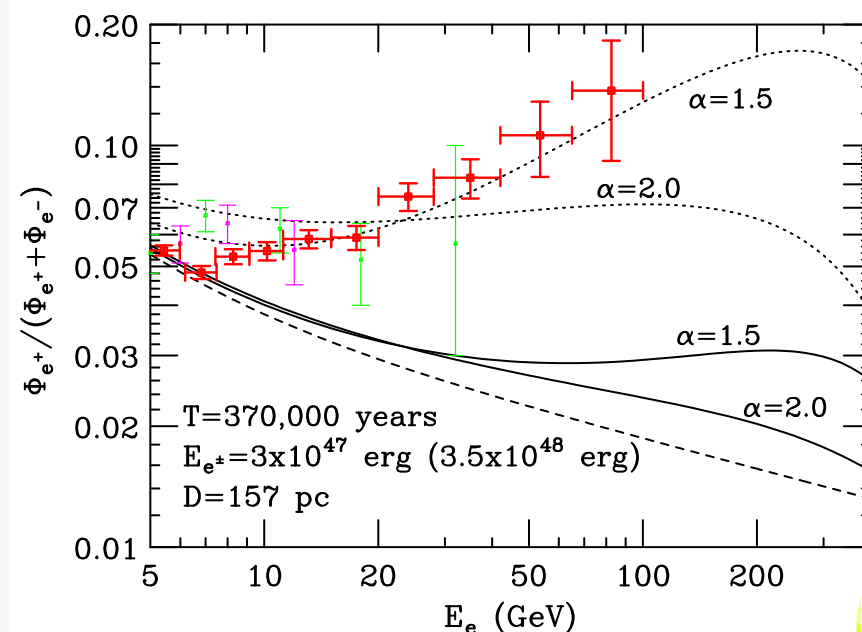
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Generic predictions for annihilating WIMPs

Generic predictions for annihilating WIMPs

Orders of magnitude for $\chi\chi \rightarrow e^+e^-$ (for $E \rightarrow m_\chi = 100$ GeV).

From PAMELA, the excess is $\lesssim 5 - 10 \times \phi_{\text{bg}}(100 \text{ GeV}) \sim 1.5 - 3.0 \cdot 10^{-9} \text{ cm}^{-2} \cdot \text{s}^{-1} \cdot \text{GeV}^{-1} \cdot \text{sr}^{-1}$.

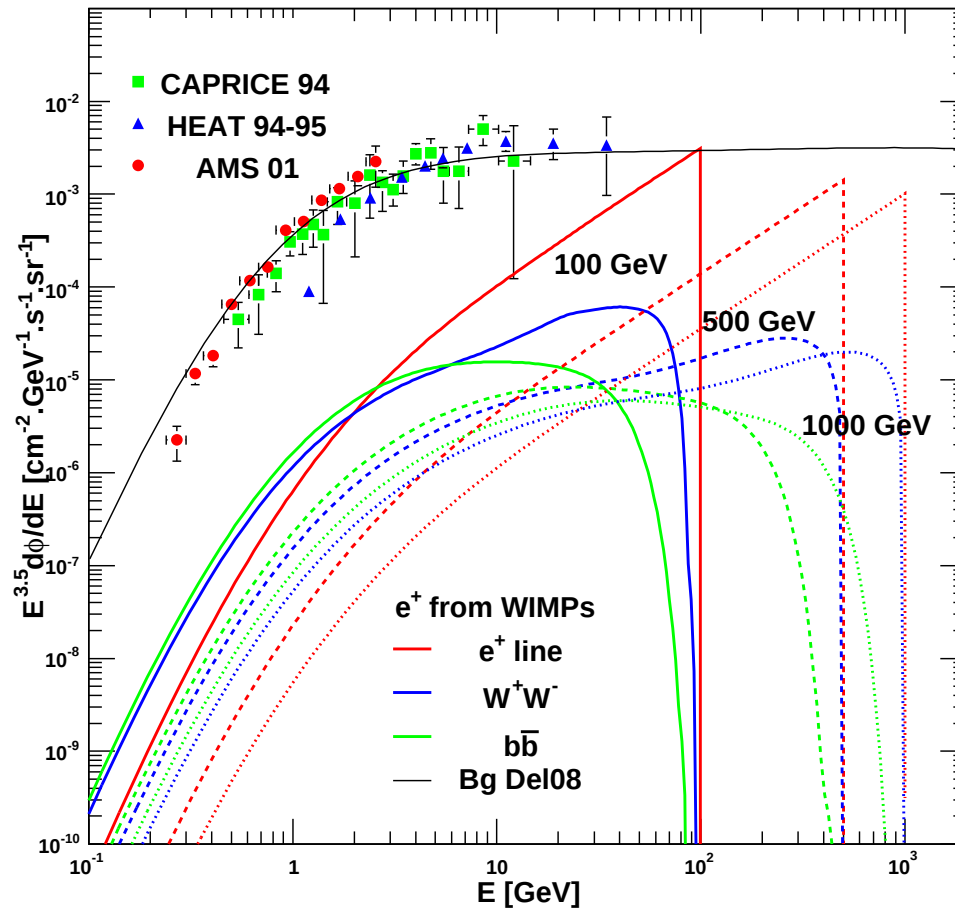
$$\phi_{\text{bg}}(100 \text{ GeV}) \simeq 3 \cdot 10^{-10} \left(\frac{E}{100 \text{ GeV}} \right)^{-3.5} \text{ cm}^{-2} \cdot \text{s}^{-1} \cdot \text{GeV}^{-1} \cdot \text{sr}^{-1}$$

$$\begin{aligned} \phi_{\chi\chi}(E \rightarrow m_\chi) &\simeq \frac{\delta\beta c}{4\pi} \frac{\tau_{\text{loss}} E_0}{E^2} \frac{\langle\sigma v\rangle}{2} \left(\frac{\rho_\odot}{m_\chi} \right)^2 \\ &\simeq 3 \cdot 10^{-10} \left(\frac{\tau_{\text{loss}}}{10^{16} \text{ s}} \right) \left(\frac{\rho_\odot}{0.3 \text{ GeV/cm}^3} \right) \left(\frac{100 \text{ GeV}}{m_\chi} \right)^4 \left(\frac{\langle\sigma v\rangle}{3 \cdot 10^{-26} \text{ cm}^3/\text{s}} \right) \end{aligned}$$

For $\chi\chi \rightarrow e^+e^-$ and $m_\chi \simeq 100$ GeV, need for an enhancement of: $\mathcal{B} \simeq 5 - 10$.



Generic predictions for annihilating WIMPs



Boost to get $\sim 5 - 10 \times \phi_{bg}$ at ~ 100 GeV:

WIMP mass	100 GeV	500 GeV	1 TeV
final state			
e^+e^-	5-10	100	350
W^+W^-	100	500	1000
$b\bar{b}$	250	500	1000

PAMELA excess: dark matter?

Possible, but **needs huge annihilation rate**.
Several limits exist.

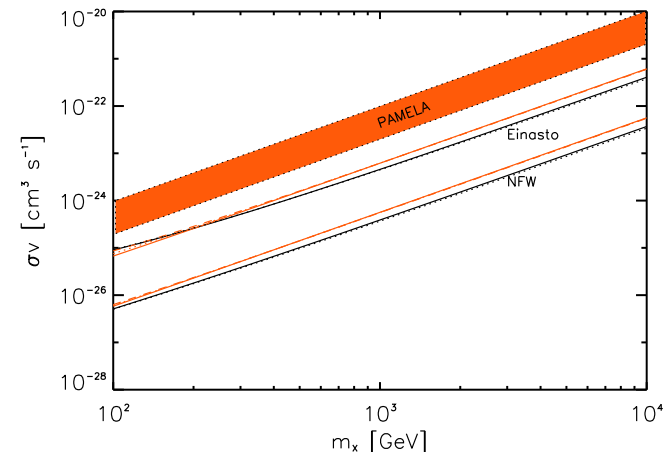
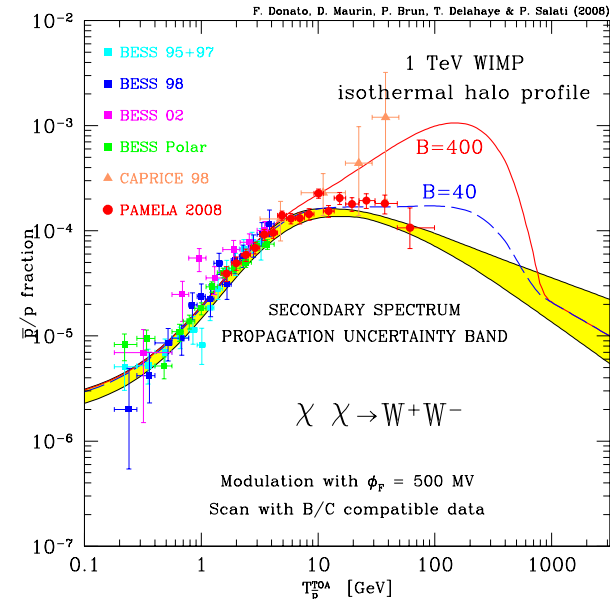
If dark matter annihilates into quarks or heavy bosons

- ⑥ gamma-rays (next slide)
- ⑥ antiprotons
(cf Donato et al arXiv:0810.5292)

If dark matter annihilates into leptons:

- ⑥ gamma-rays (cf next slide)
- ⑥ radio emission from GC
(cf Bergström et al arXiv:0812.3895)

In any case, boosting the annihilation rate without fine-tuning is a serious issue.

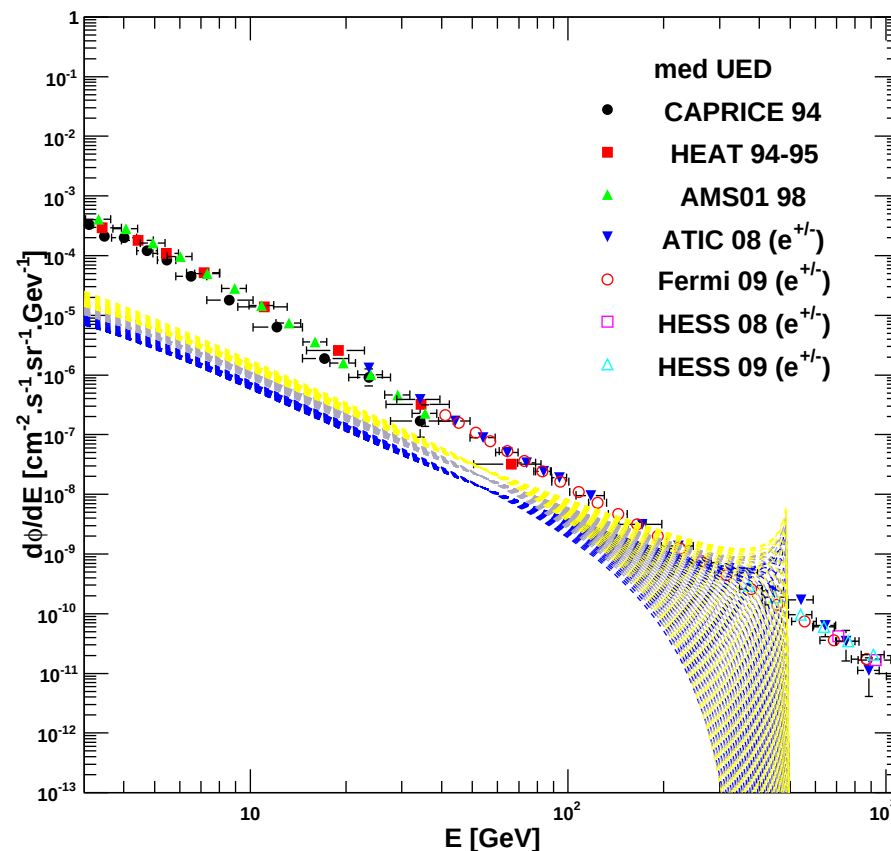
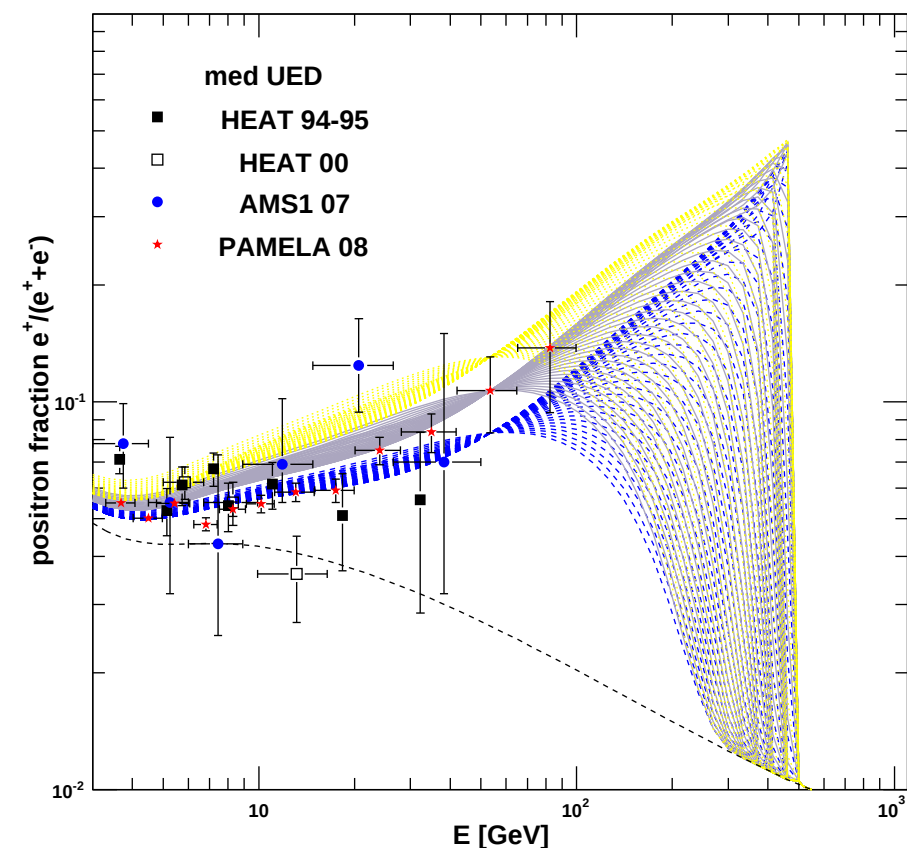


PAMELA excess: nearby dark sources?

Dark point sources (IMBHs, big clumps) ...

but conventional scenarios **excluded by EGRET+Fermi**

Single DM object wandering around



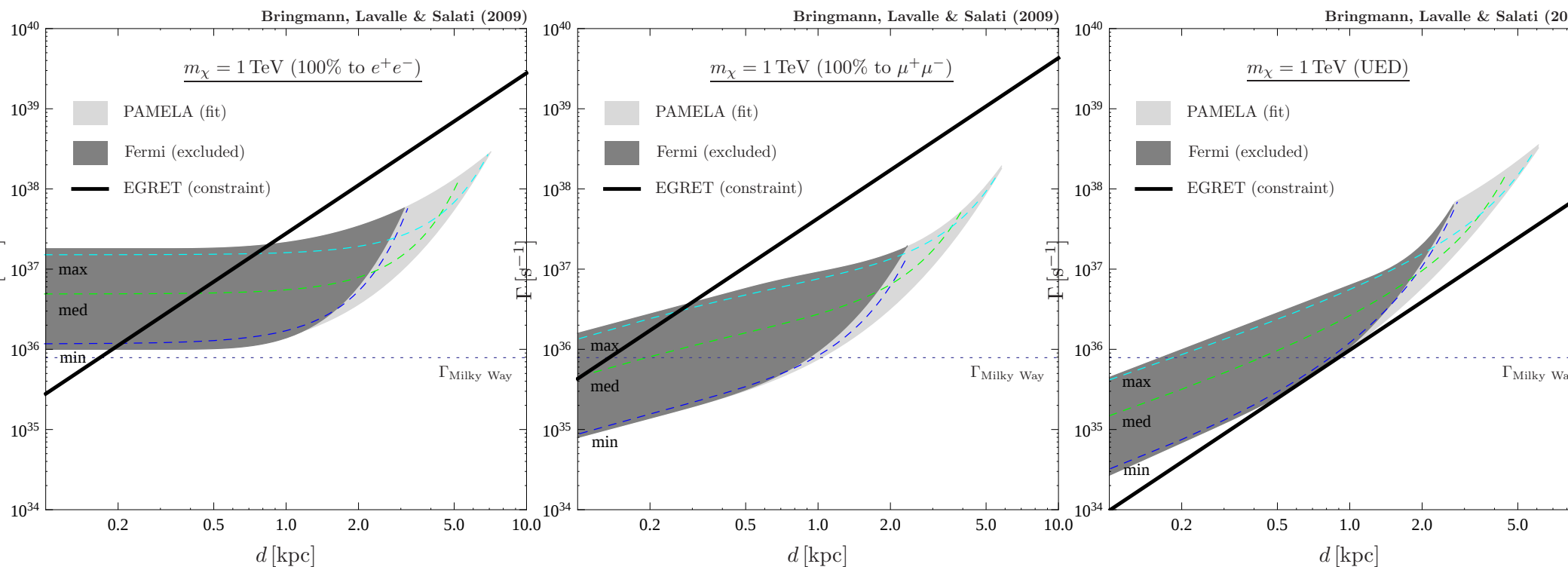
Bringmann, Lavalle & Salati arXiv:0902.3665

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Any single DM object wandering around

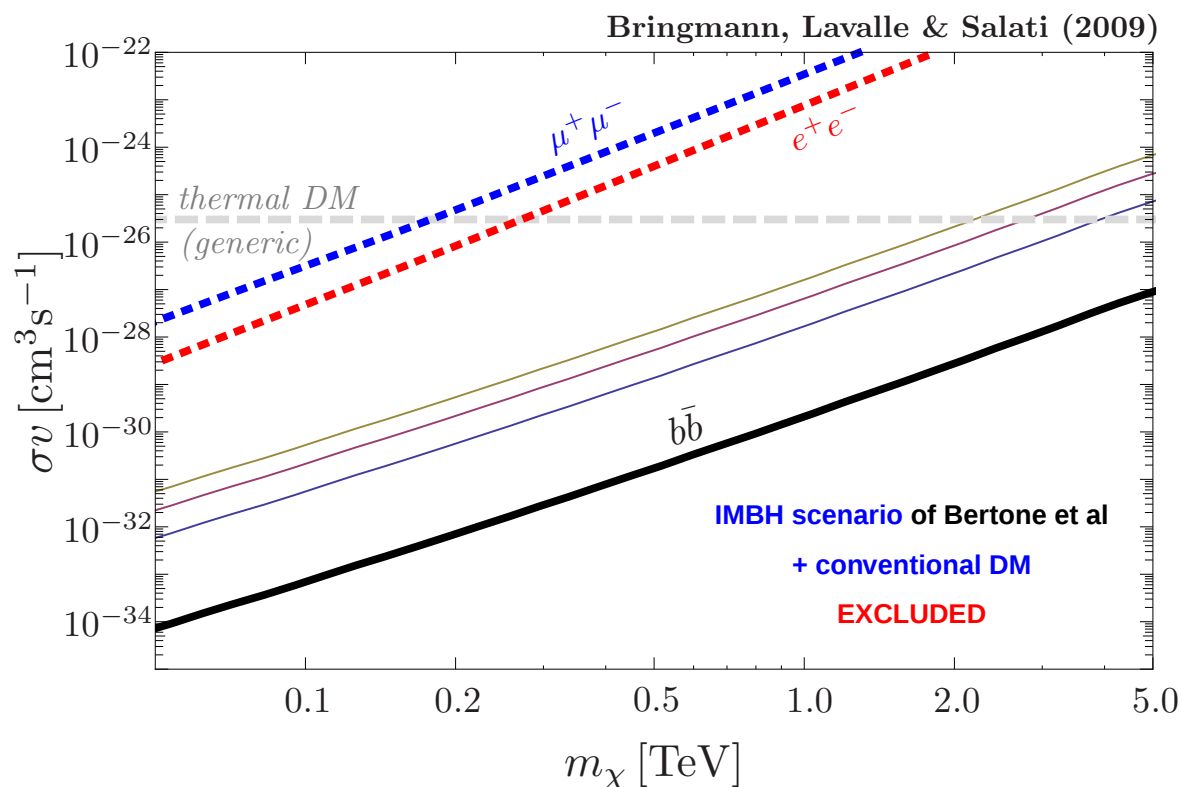


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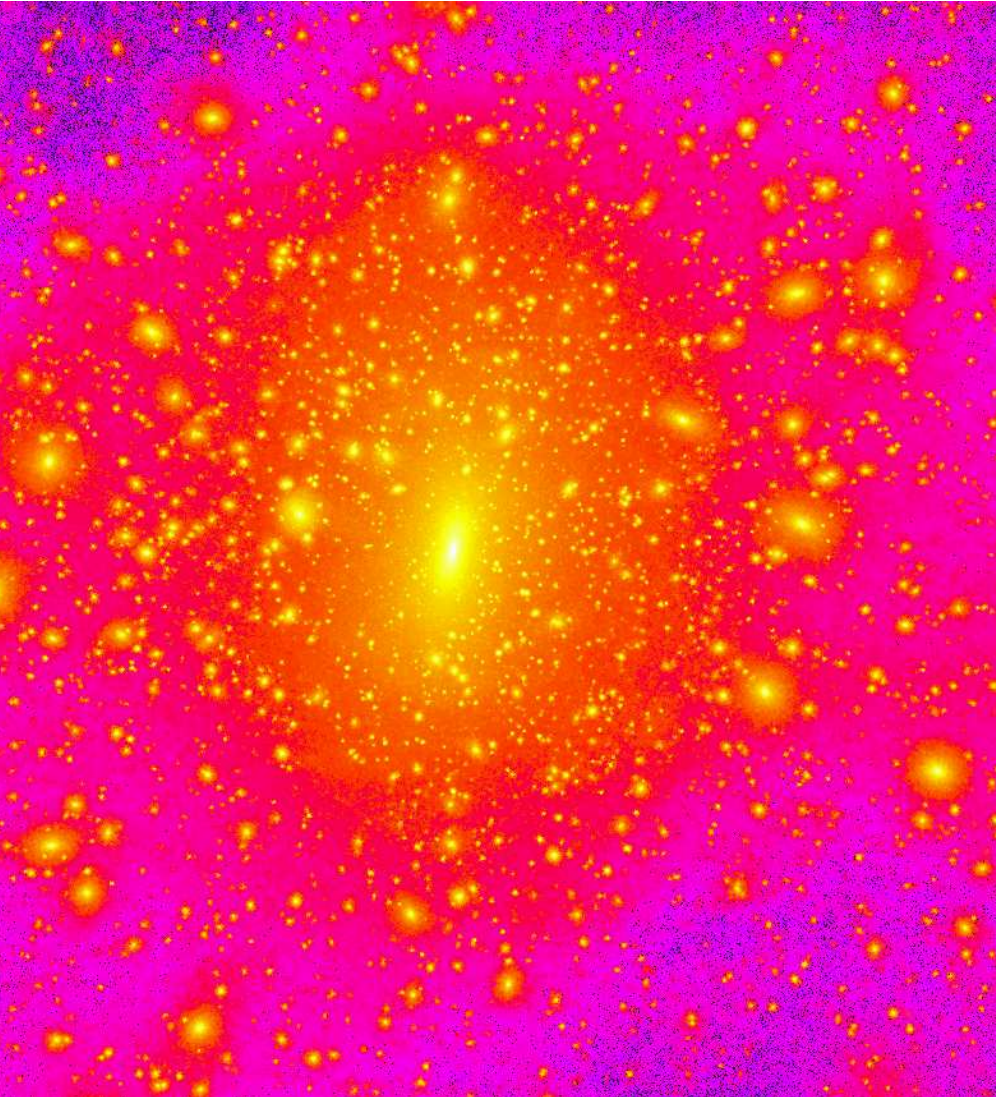
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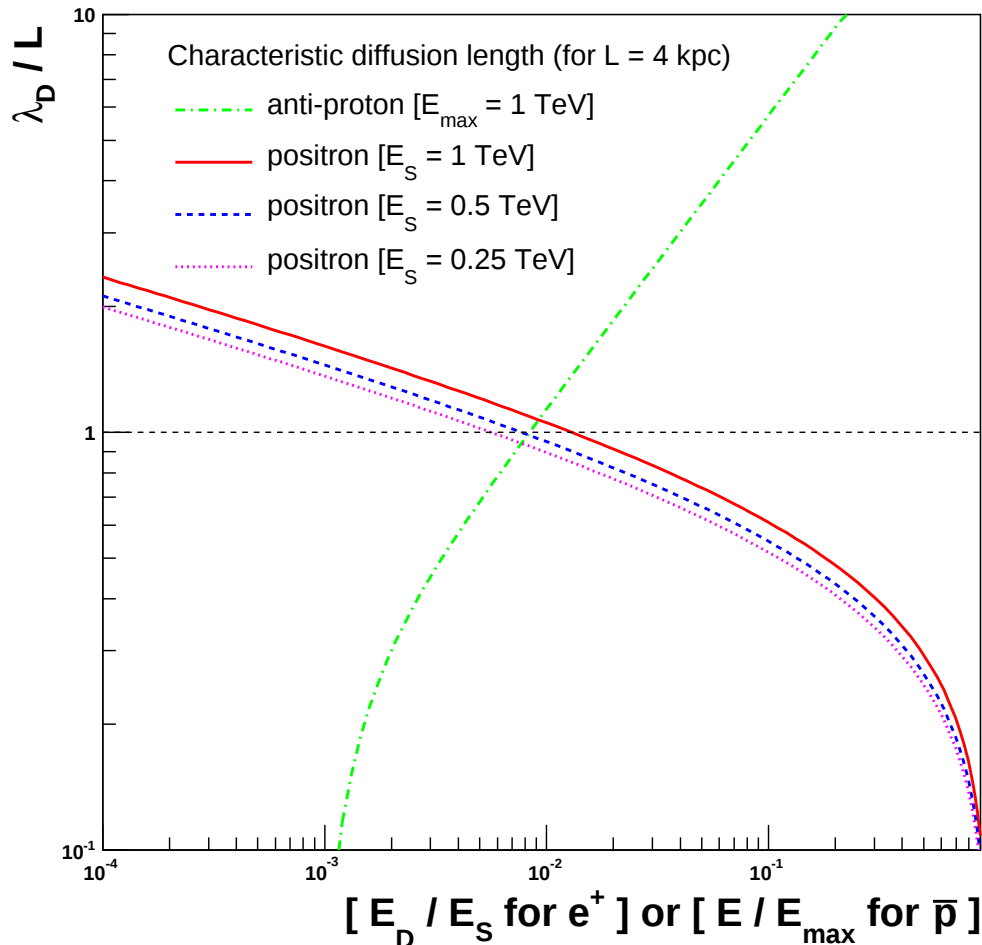
The Clumpiness issue



- ⑥ Though the topic is controversial, **clumps are predicted by theory and simulations of hierarchical formation of structures** (in the frame of Λ CDM)
- ⑥ Annihilation rate is increased in a characteristic volume, because $\langle n_{\text{dm}}^2 \rangle \geq \langle n_{\text{dm}} \rangle^2$ (Silk & Stebbins ApJ'93)
- ⑥ The boost factor to the annihilation rate is related to the statistical variance via $B_{\text{ann}} \sim \frac{\langle n_{\text{dm}}^2 \rangle}{\langle n_{\text{dm}} \rangle^2}$
- ⑥ There is some scatter in N-body experiments: **how to translate theoretical uncertainties to flux uncertainties ?** **what and where are the less ambiguous signatures, if so ?**

(Fig. from Diemand et al, MNRAS'04)

The Clumpiness issue



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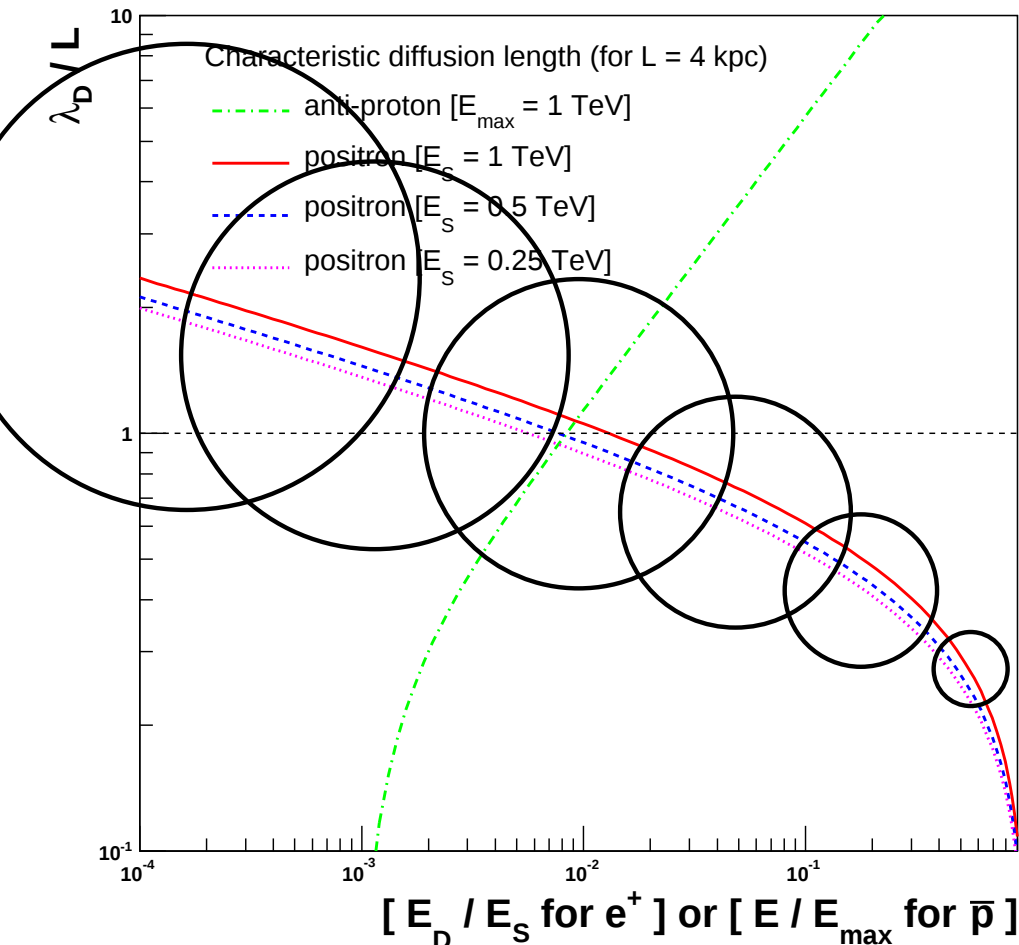
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there is some scatter in N-body experiments: **how to translate theoretical uncertainties to flux uncertainties ?** **what and where are the less ambiguous signatures, if so ?**

The Clumpiness issue

BOOST FOR CRs $\neq$ BOOST FOR γ -rays!!!!



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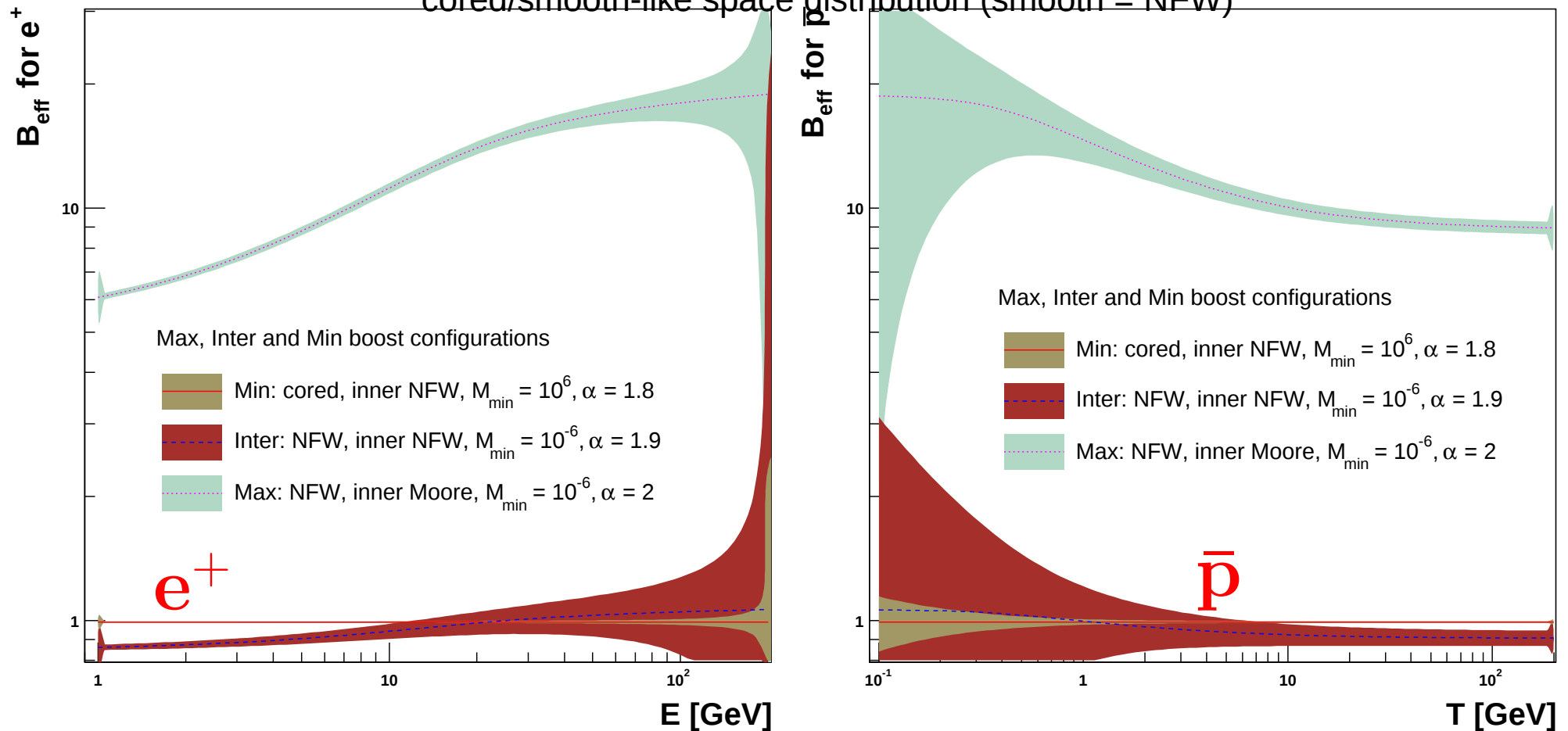
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Clumpiness boost factors for e^+s & $\bar{p}s$

Extreme configurations $M_{\min} = 10^{-6} | 10^6 M_{\odot}$, $\alpha_m = 1.8 | 2.0$,

inner-NFW/Moore, B01/ENS01,

cored/smooth-like space distribution (smooth = NFW)



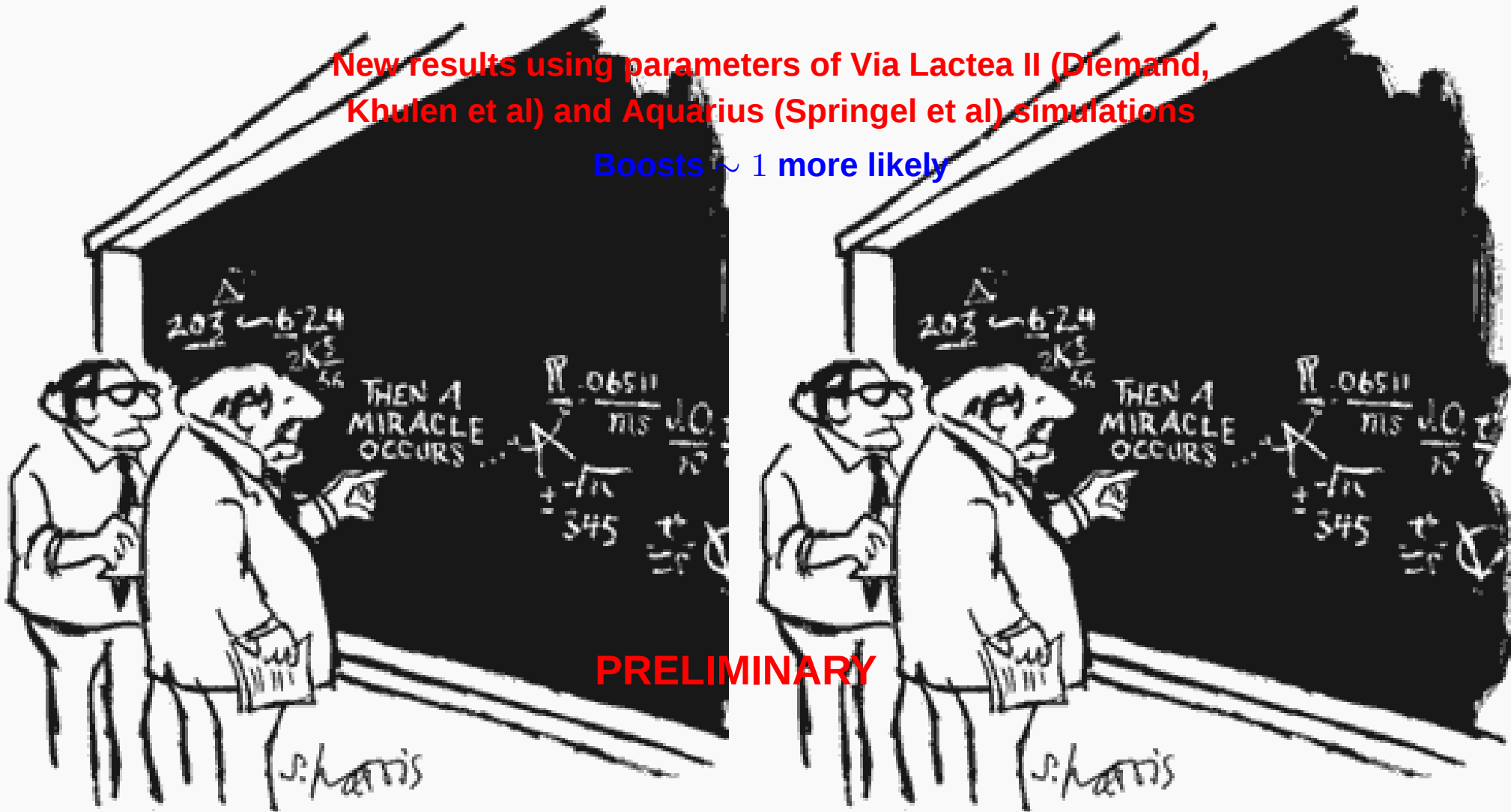
Lavalle, Pochon, Salati & Taillet — A&A 462 (2007)

Lavalle, Yuan, Maurin & Bi — A&A 479 (2008)

Clumpiness boost factors for e^+s & $\bar{p}s$

New results using parameters of Via Lactea II (Diemand, Khullen et al) and Aquarius (Springel et al) simulations

Boosts ~ 1 more likely



"I THINK YOU SHOULD BE MORE EXPLICIT HERE IN STEP TWO."

Bertone, Branchini, Lavallo & Pien (very soon)

"I THINK YOU SHOULD BE MORE EXPLICIT HERE IN STEP TWO."

Summary

ON POSITRONS:

⑥ **BAD NEWS FOR DM FINDERS (not searchers)**

- △ DM explanation unlikely (i) fine-tuned (ii) unnecessary: pulsars can fit the excess!
- △ Could DM still contribute? Multimessenger constraints + hard to separate from astrophysical signals: need better understanding of the latter, better constraints on the former (LHC?).

⑥ **GOOD NEWS FOR DM SEARCHERS**

- △ Most of independently-motivated models (neutralino-like) still fully viable, because hardly contributing to the cosmic ray spectra.

MORE GENERAL STATEMENTS, PERSPECTIVES:

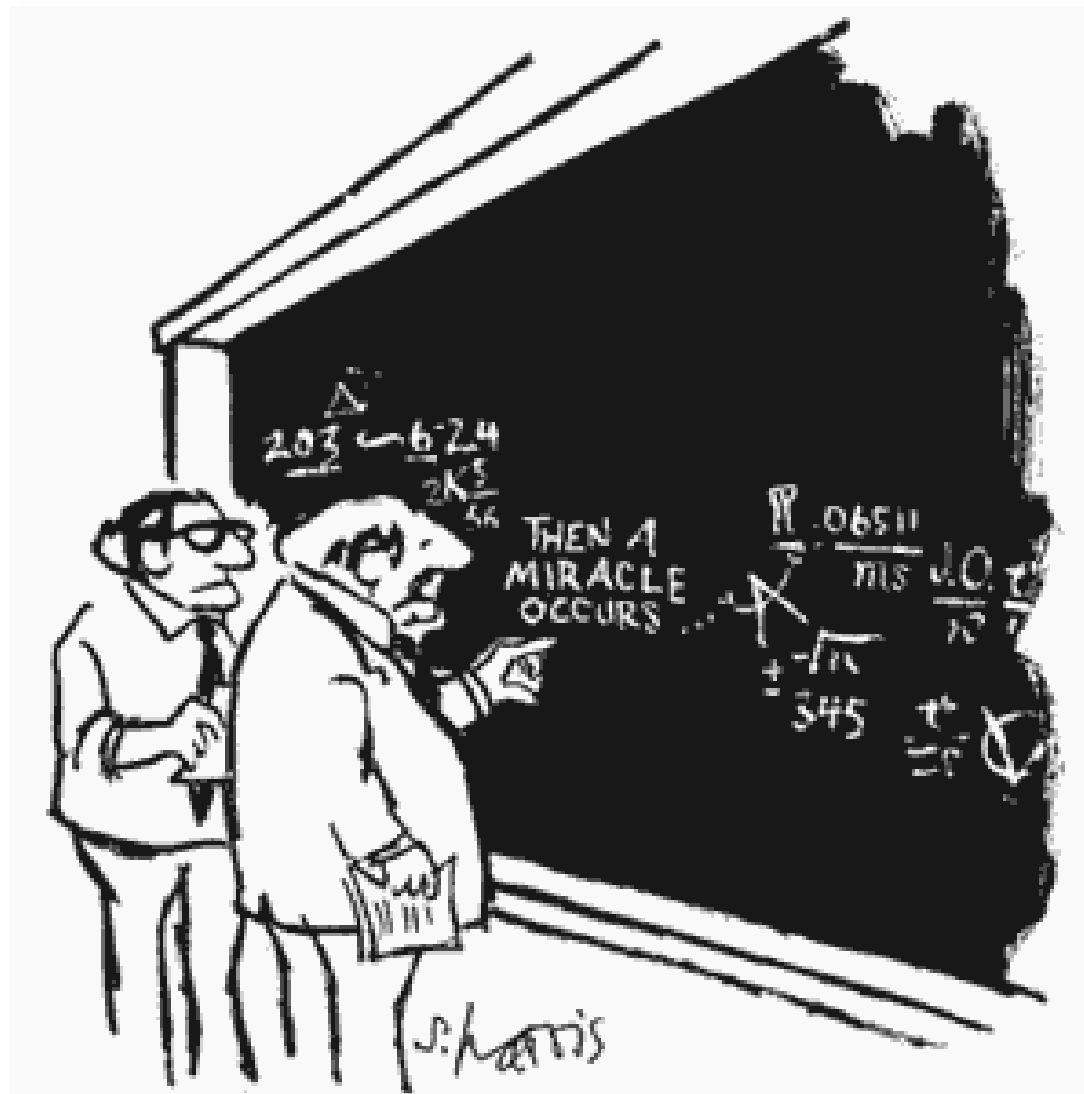
⑥ Clear DM signature? (i) $\bar{d}'s$! (ii) Fermi + IACTs: diffuse γ -rays or γ -rays from DSphs.

⑥ **Complementarity with other detection methods** + multimessenger analysis still to improve if LHC finds new physics.

⑥ Need much better understanding of CR propagation, backgrounds and standard sources: Theory + PAMELA, CREAM, Fermi + higher energy data (AMS-02 later)

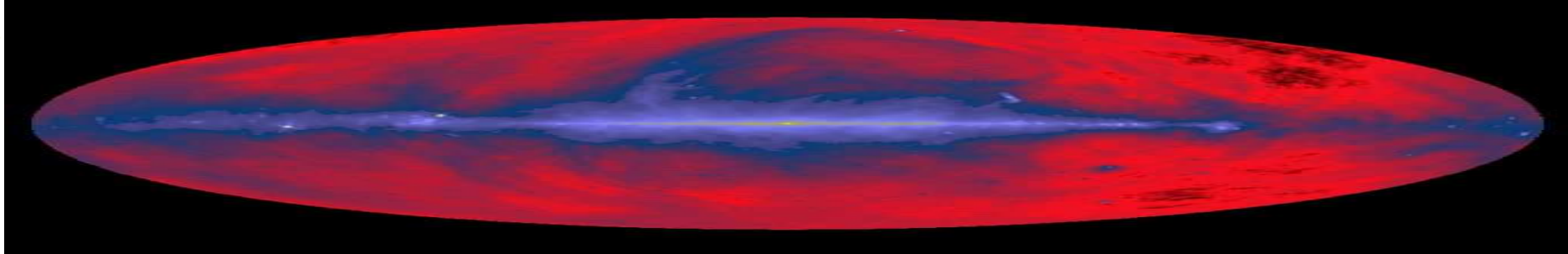
⑥ Constraints on DM distribution (smooth & subhalos): impact of baryons? link to standard cosmic rays?

Backup



"I THINK YOU SHOULD BE MORE EXPLICIT HERE IN STEP TWO."

Sub-TeV Cosmic ray propagation in the Galaxy



cf. e.g. Berezhinsky (1990)

⑥ Cylindrical diffusive halo :

$R \sim 20\text{kpc}$, $L \sim 3\text{kpc}$
diffusion off magnetic
inhomogeneities,
reacceleration.

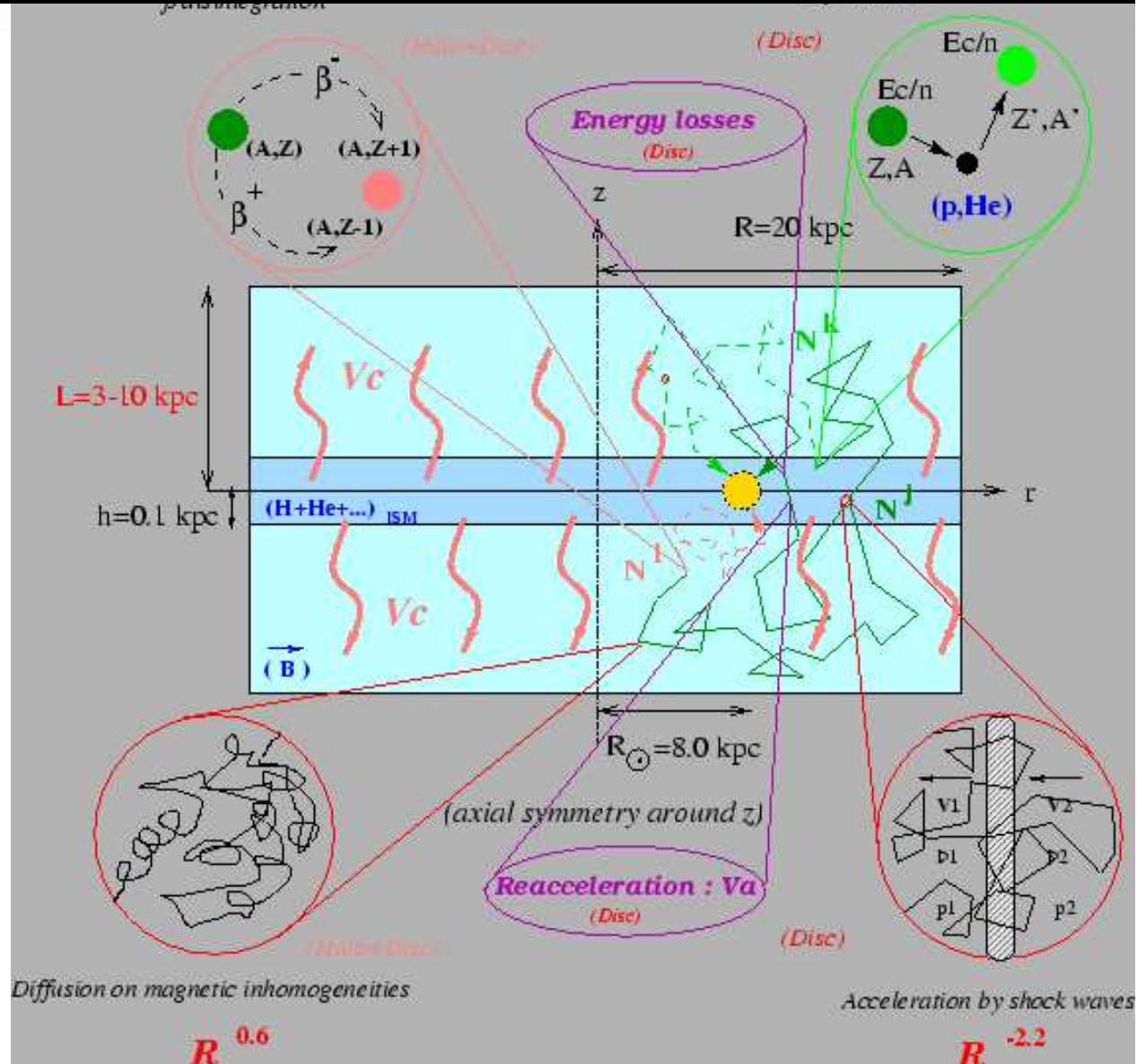
⑥ Gaseous disc ($h \sim 0.1\text{kpc}$) :

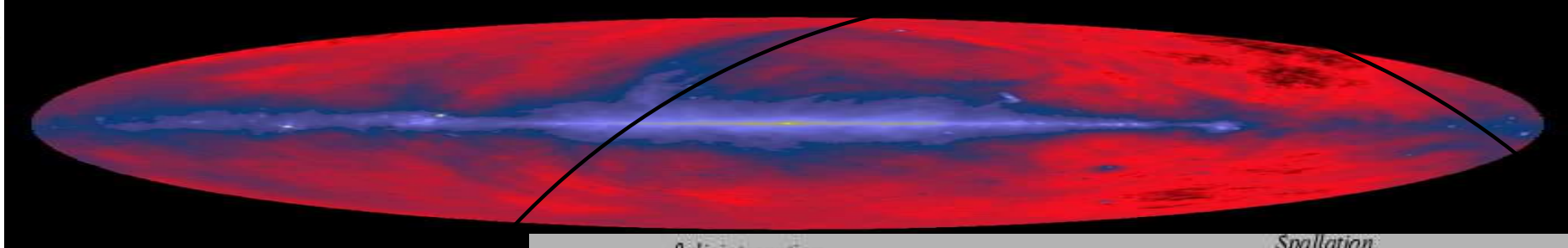
spallation + convection upside
down.

⑥ free parameters:

$K(E)$, L , R , V_C , V_A

..... (Figure by D. Maurin)





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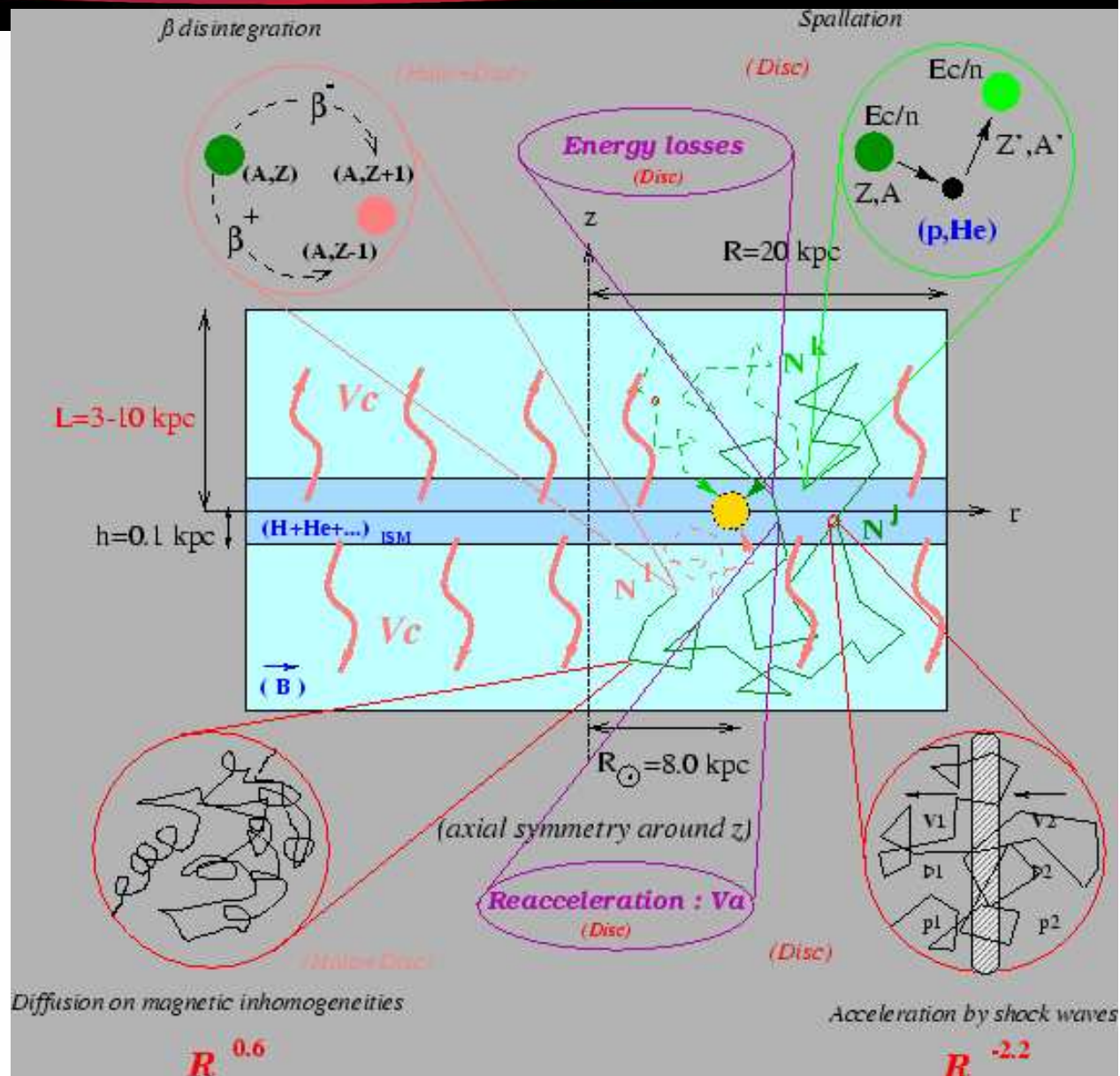
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..... (Figure by D. Maurin)



Diffusion equation for $e^{+/-}$ or $p\bar{p}$

$e^{+/-}$, cf. Bulanov & Dogel 73, Baltz & Edsjö 98, Lavalley et al 07, Delahaye et al 08
Nuclei, cf. Strong et al (98-08), Maurin et al (01-08)

source: injected spectrum

spatial current: diffusion and convection

$$K(E) = K_0 \left(\frac{E}{E_0} \right)^\alpha$$

$$\vec{V}_c(z) = \text{sign}(z) \times V_c$$

Energy losses and reacceleration

spallation (nuclei)

$$\begin{aligned} \partial_t \frac{dn}{dE} &= Q(E, \vec{x}, t) \\ &+ \left\{ \vec{\nabla} (K(E, \vec{x}) \vec{\nabla} - \vec{V}_c) \right\} \frac{dn}{dE} \\ &- \left\{ \partial_E \left(\frac{dE}{dt} - \partial_E E^2 K_{pp} \partial_p E^{-2} \right) \right\} \frac{dn}{dE} \\ &- \left\{ \Gamma_{\text{spal}} \right\} \frac{dn}{dE} \end{aligned}$$

Uncertainties and degeneracies in parameters (Maurin et al 01)

(Complementary & full numerical: **Galprop**, Strong et al)